



Introduction to PEST

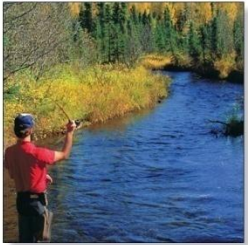
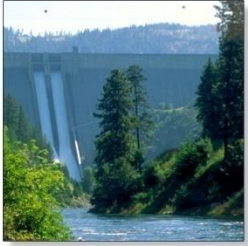
Presented by Allan Wylie, IDWR

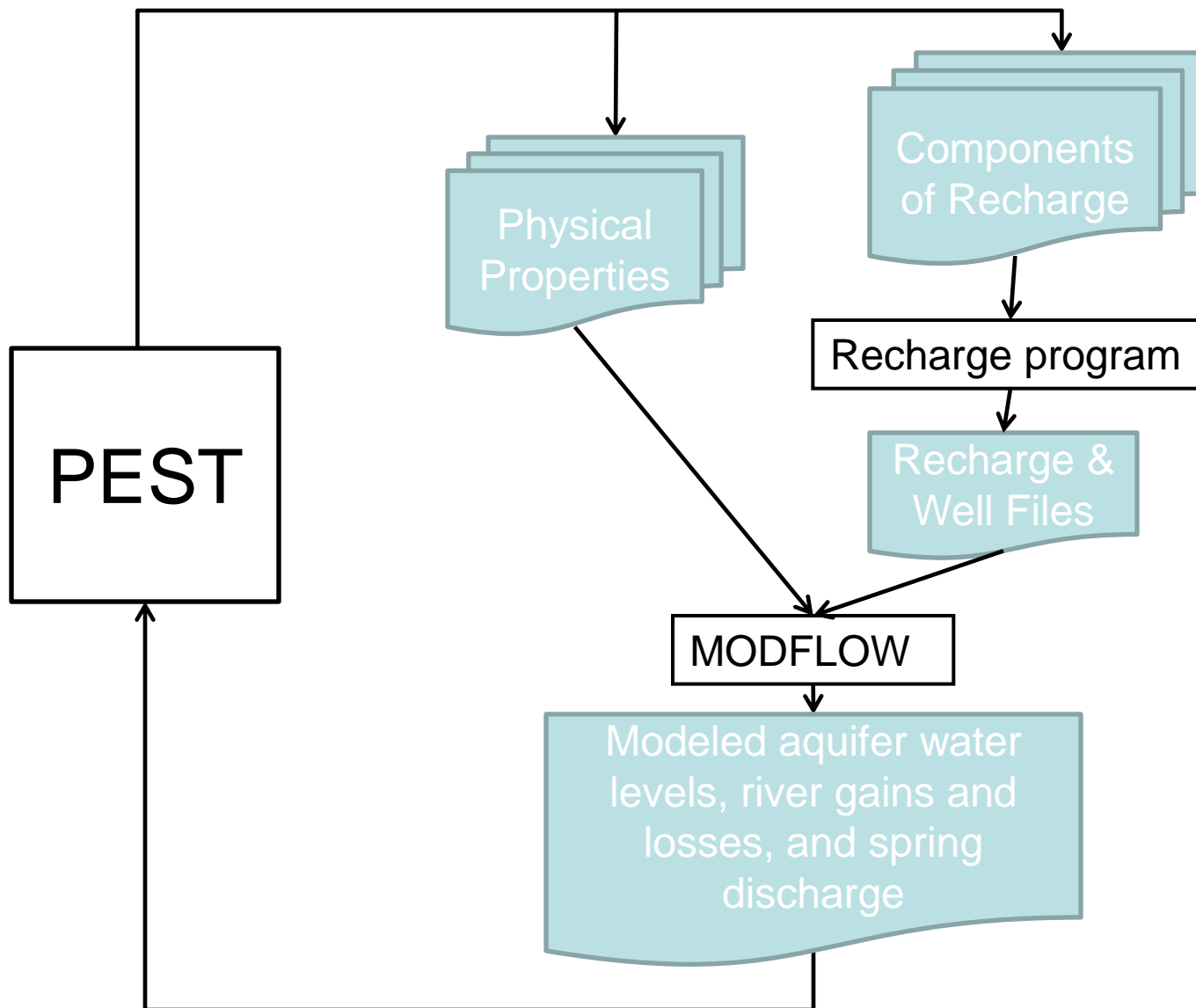
Date February 6, 2014



Outline

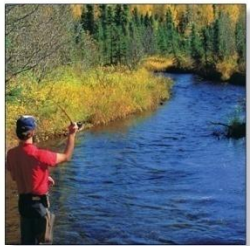
- Flow diagram
- What IS the MODEL
- PEST





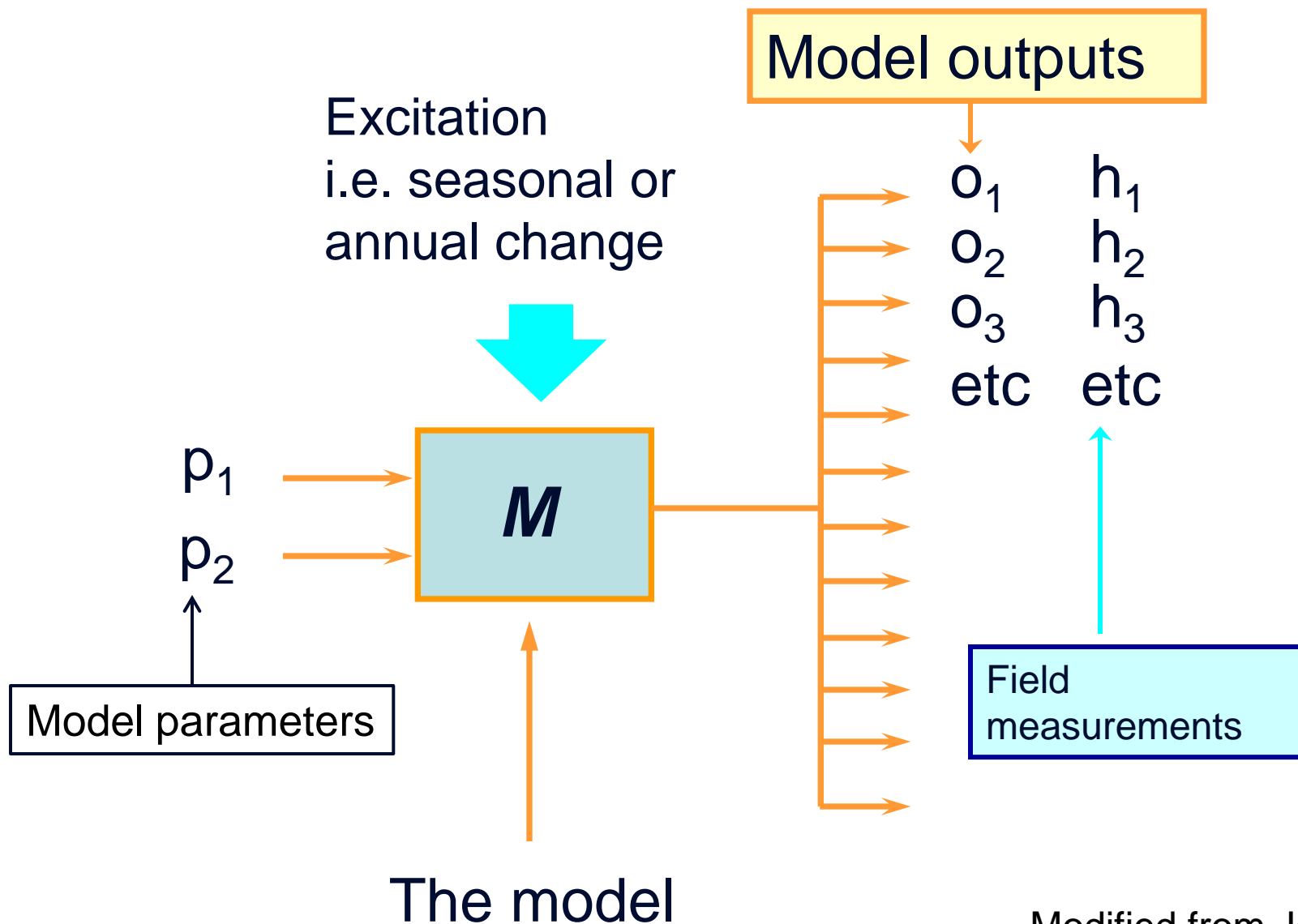
The Model

- Preprocessing programs
- MODFLOW
- Post-processing programs

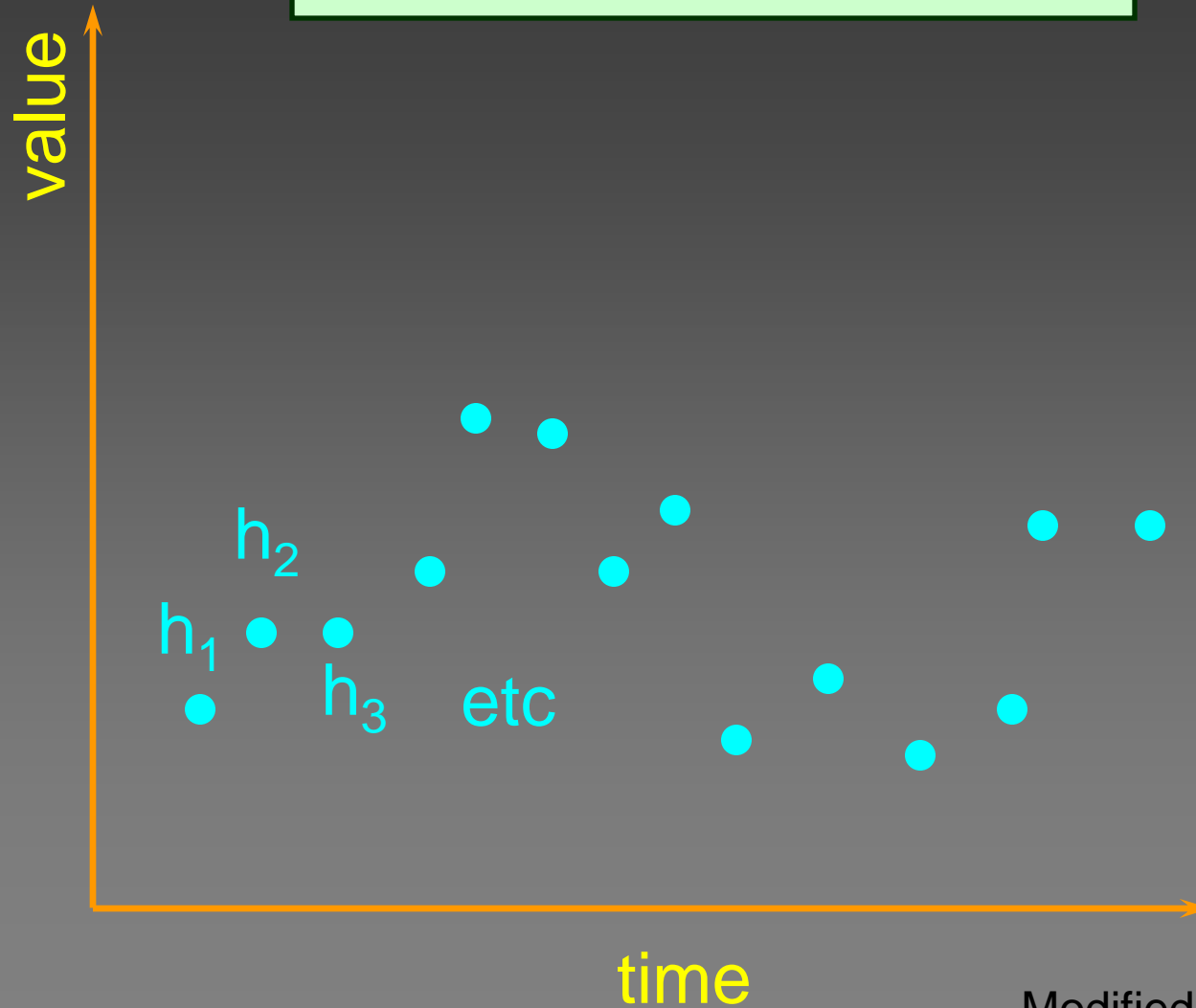


Calibration Tool

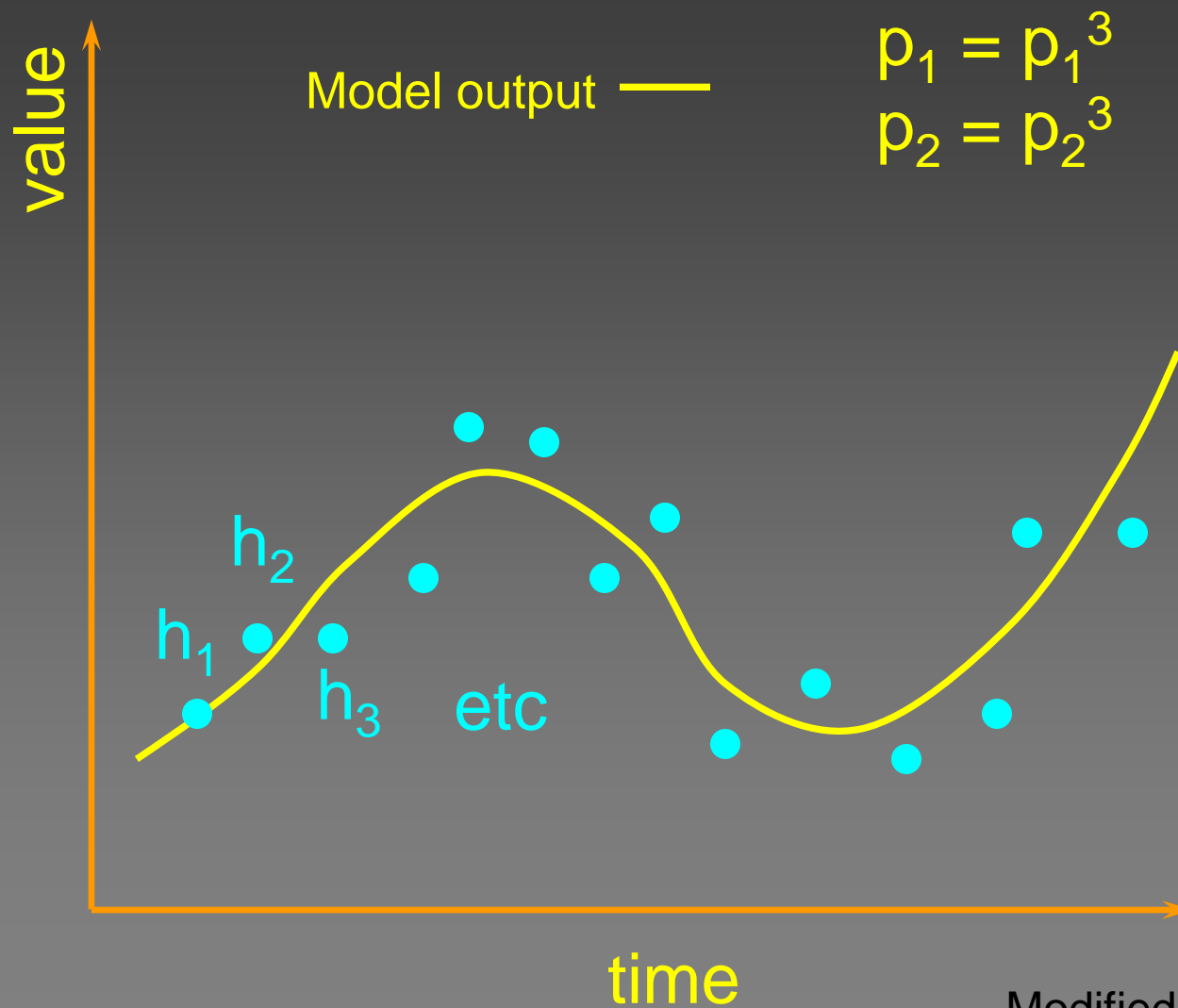
- PEST
 - Compares model output with observations
 - River aquifer interactions
 - Spring discharge
 - Water levels in wells
 - Objective is to minimize difference between modeled and observed values
 - Prepares input files
 - MODFLOW
 - Recharge Program

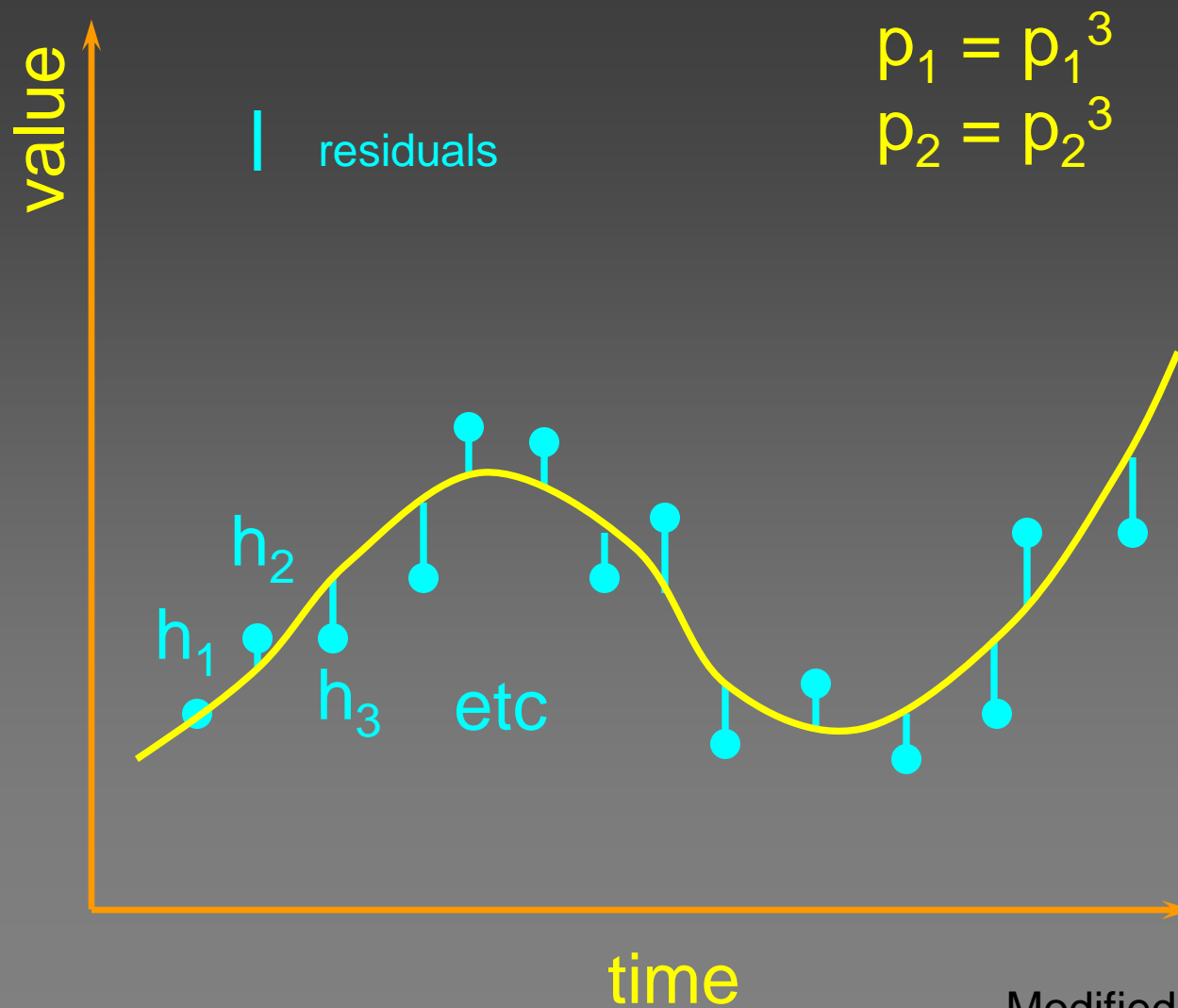


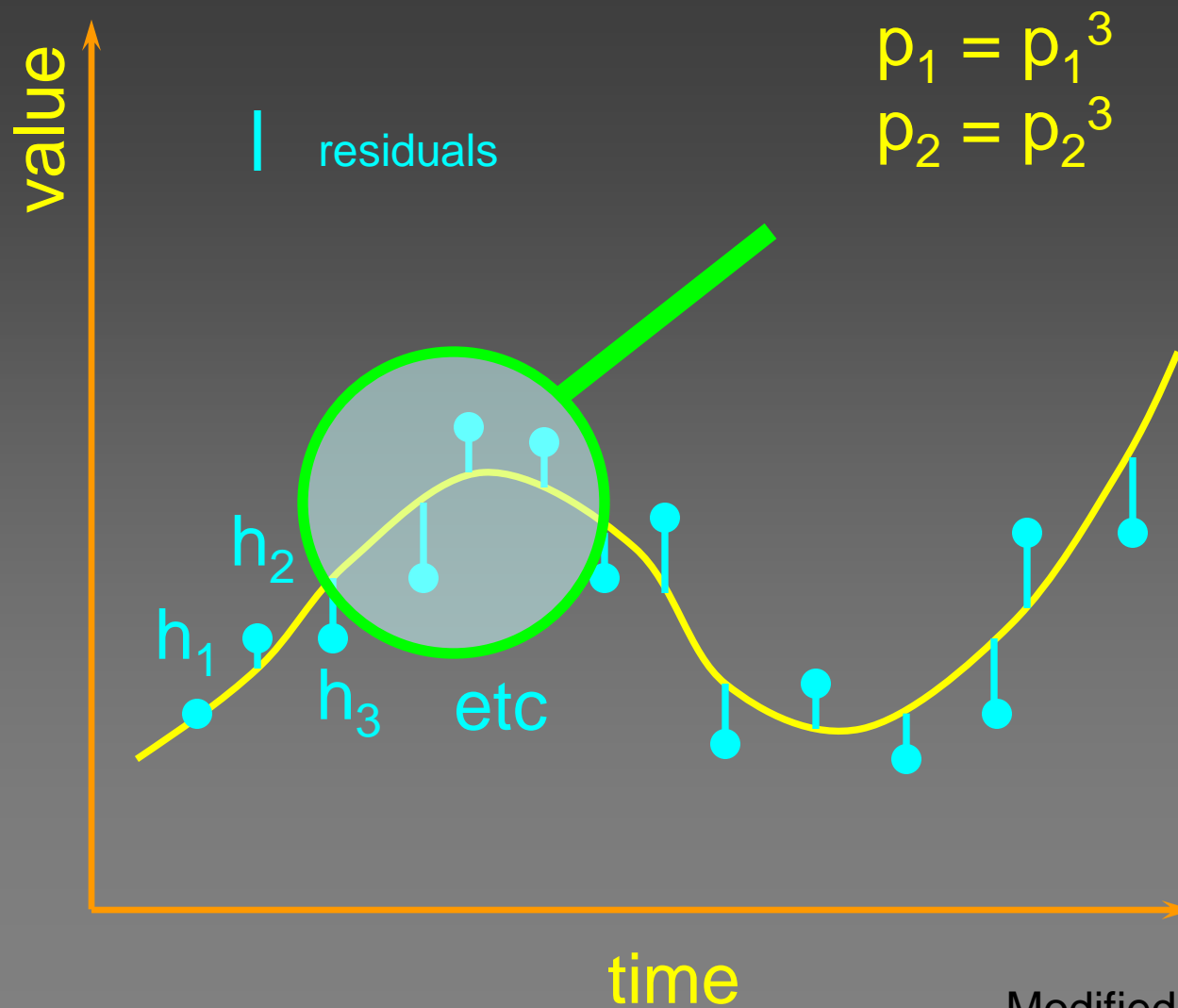
Measurements in a well

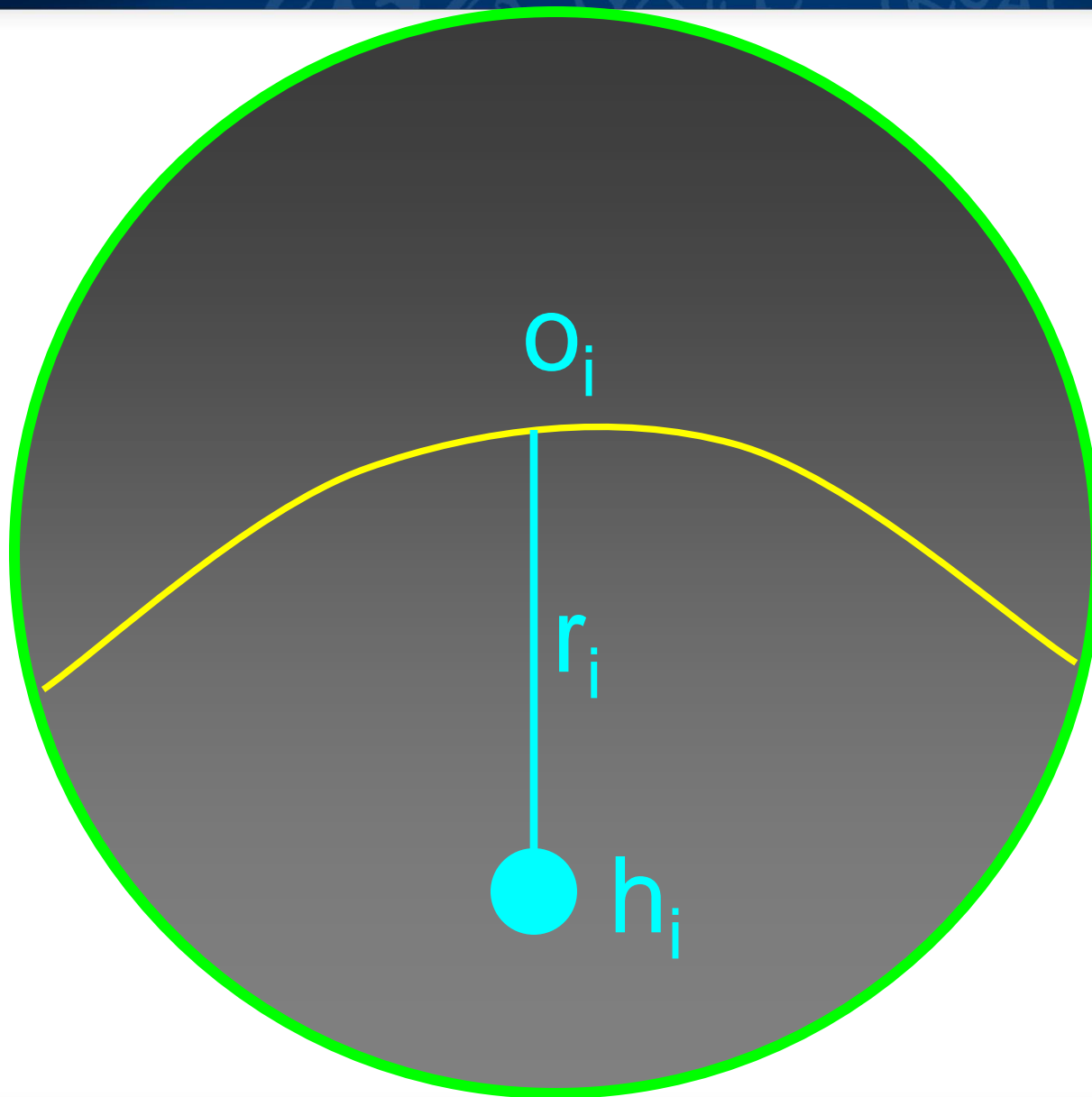


Modified from John Doherty



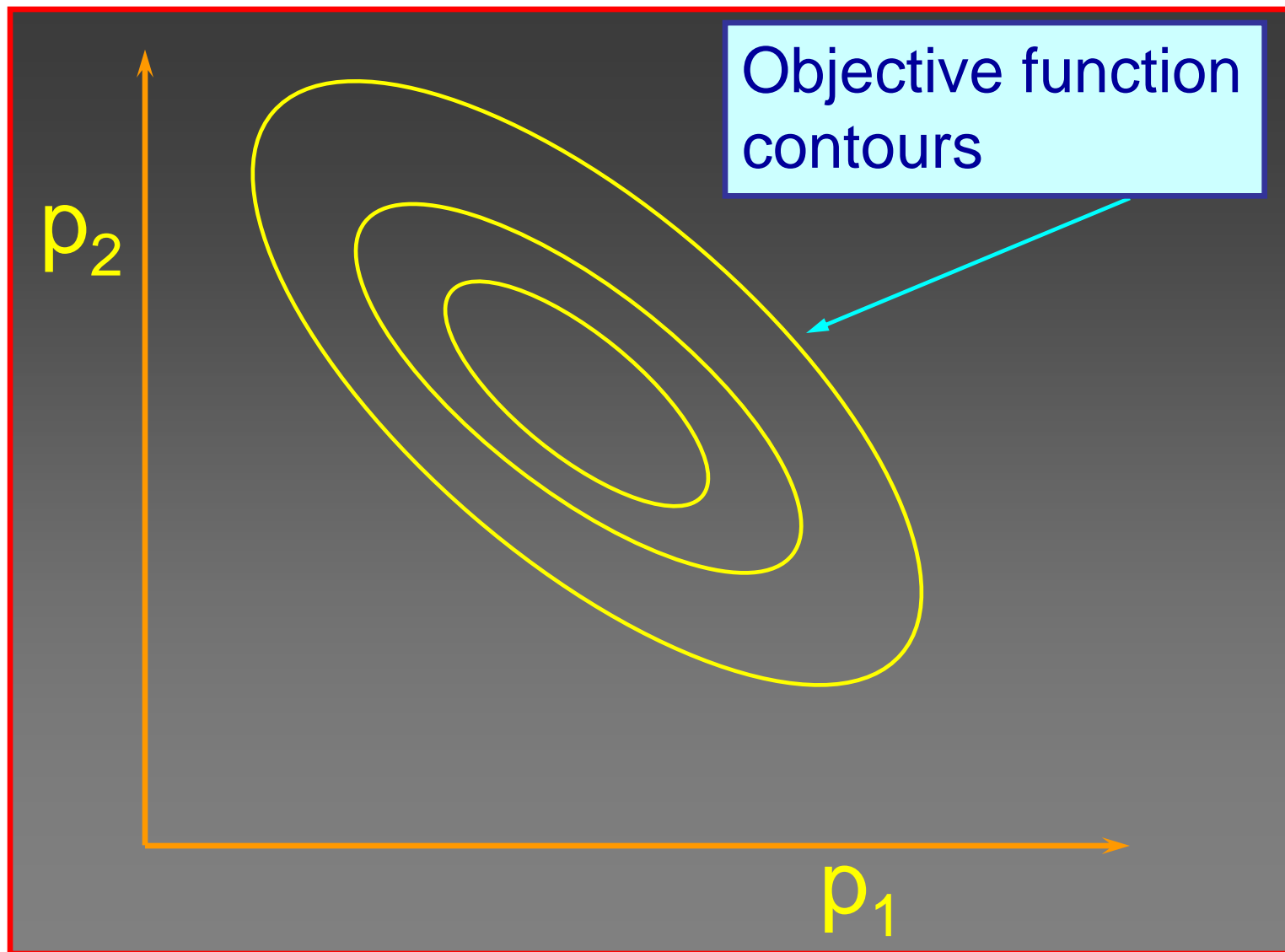


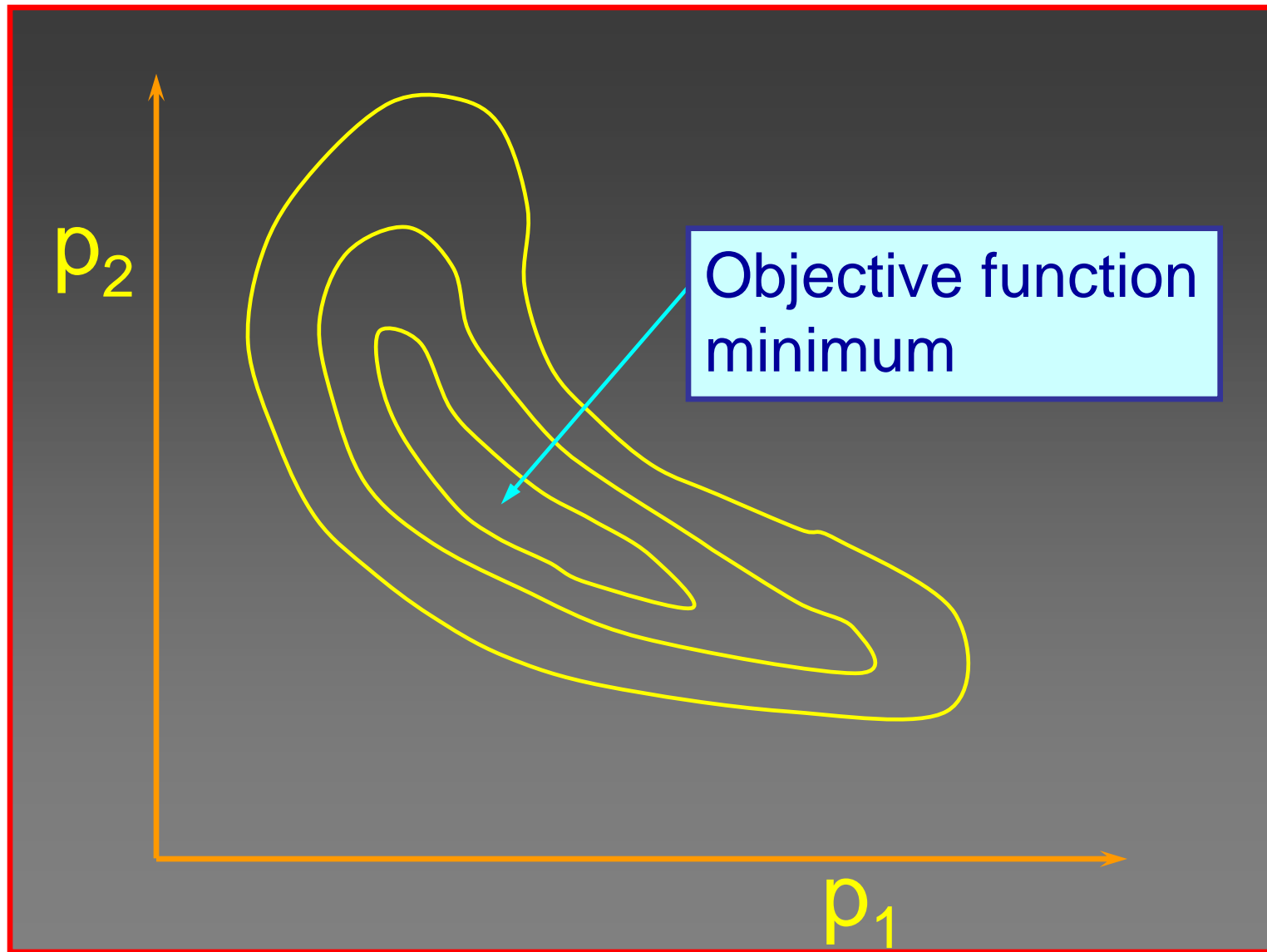


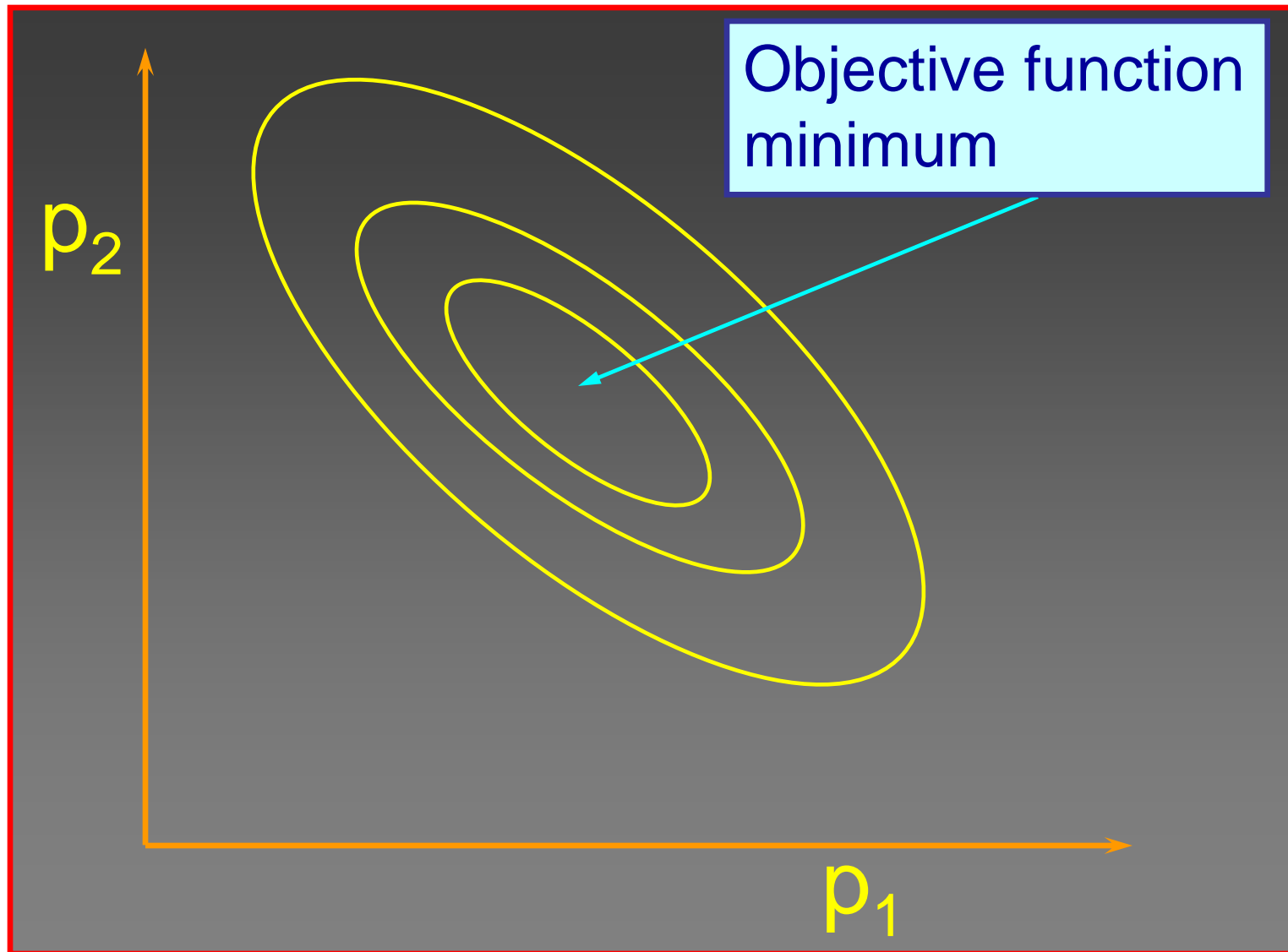


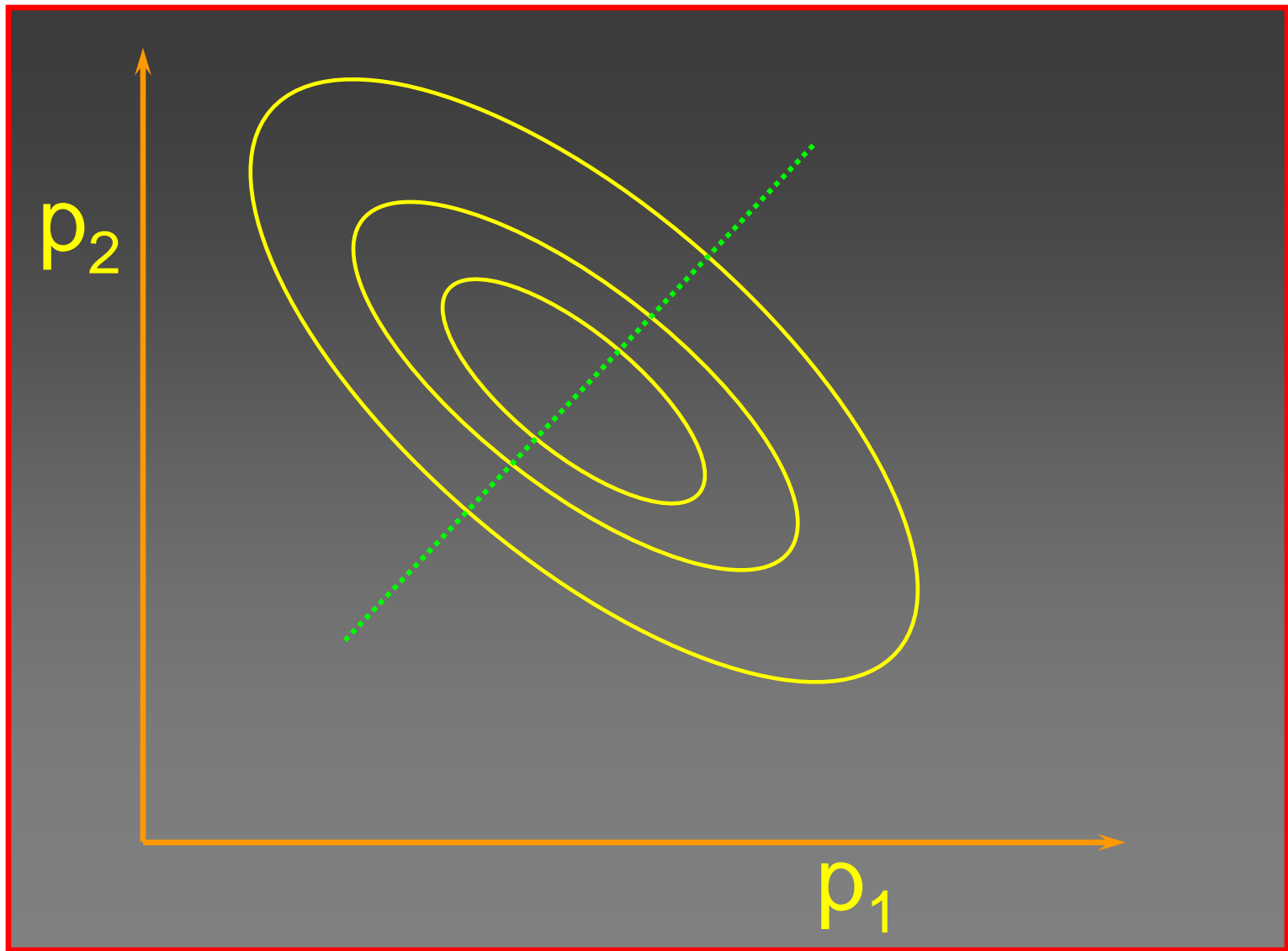
$$= \sum (h_i - o_i)^2$$

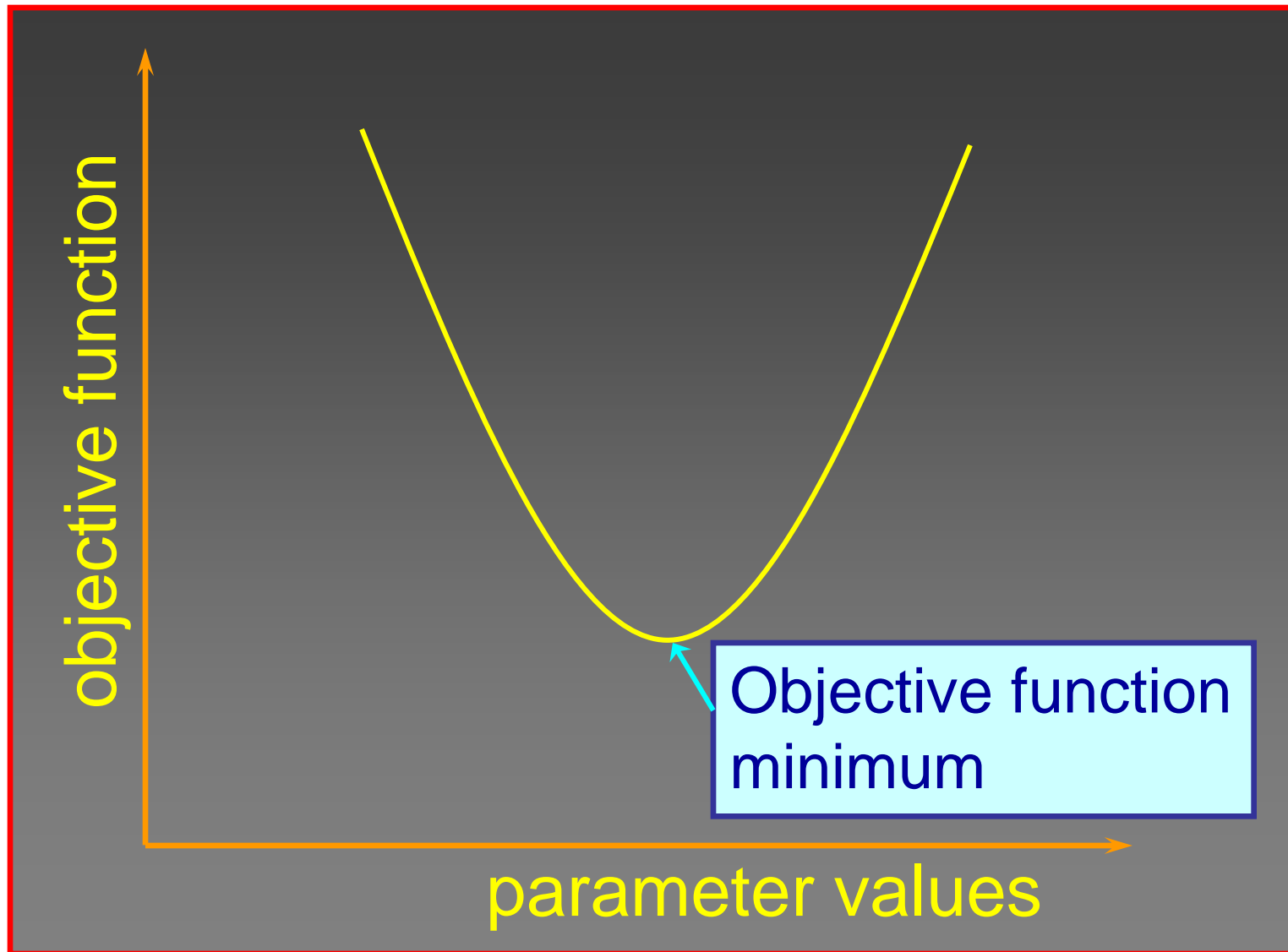
$$= \sum r_i^2$$

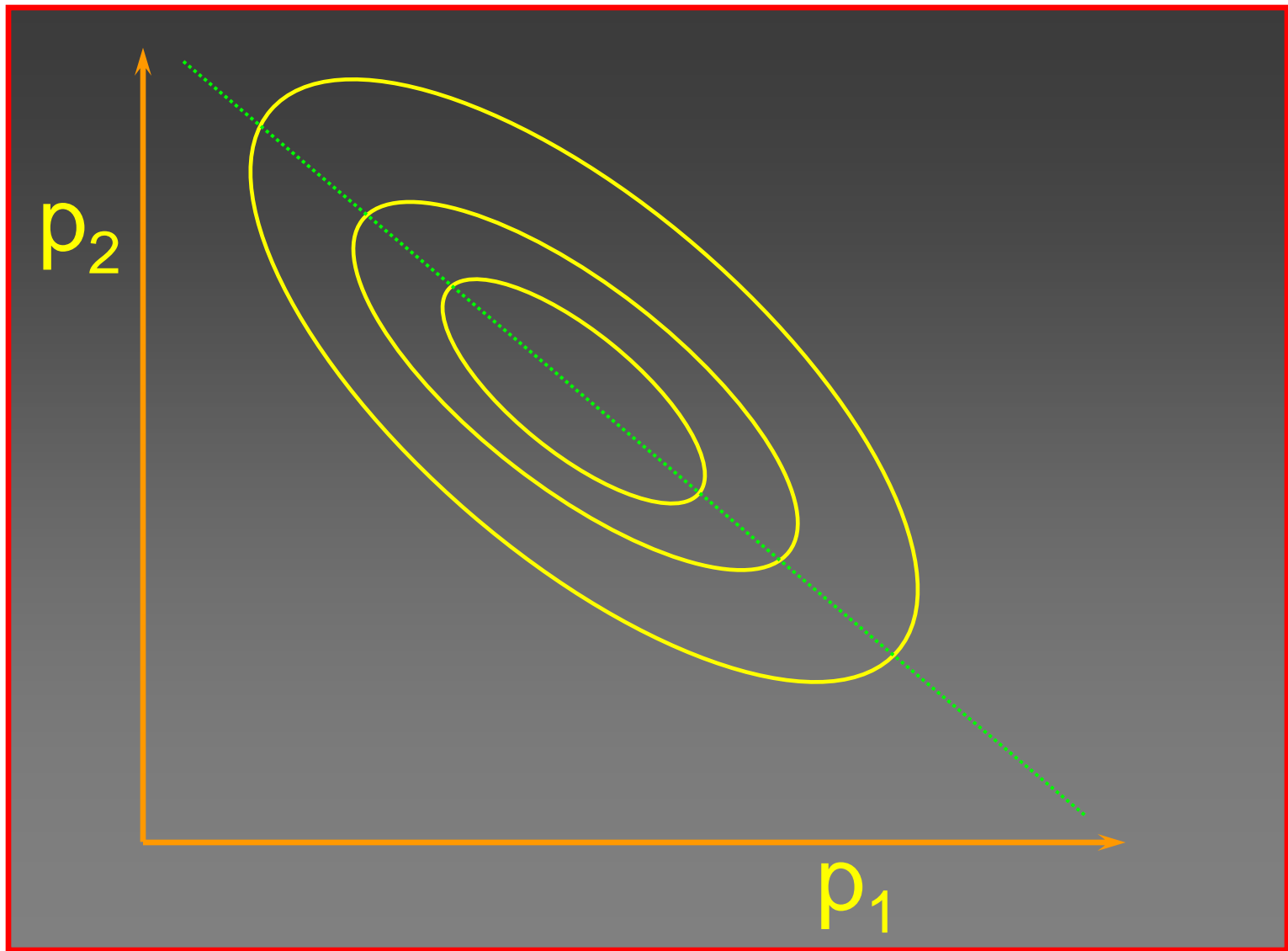


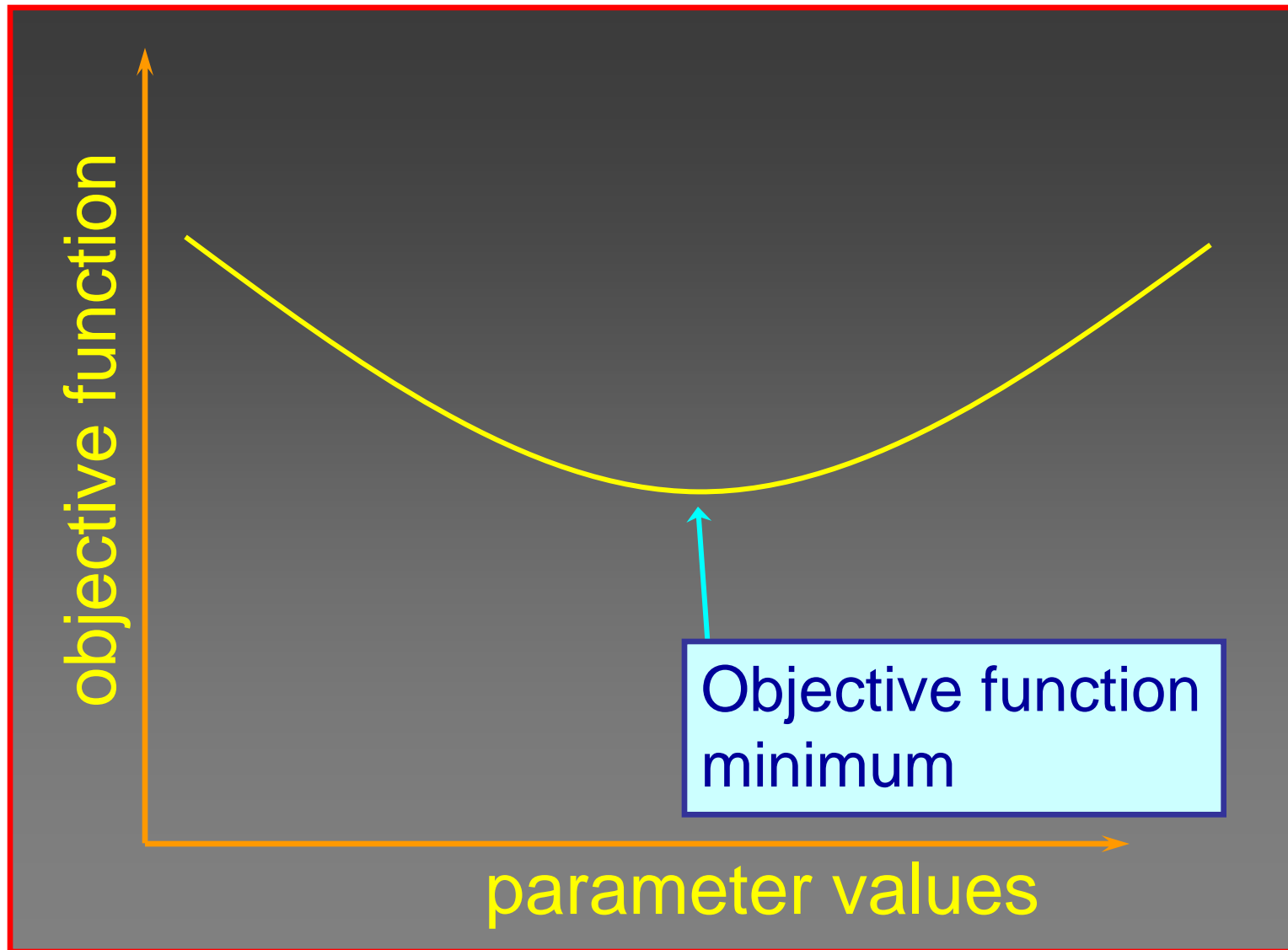


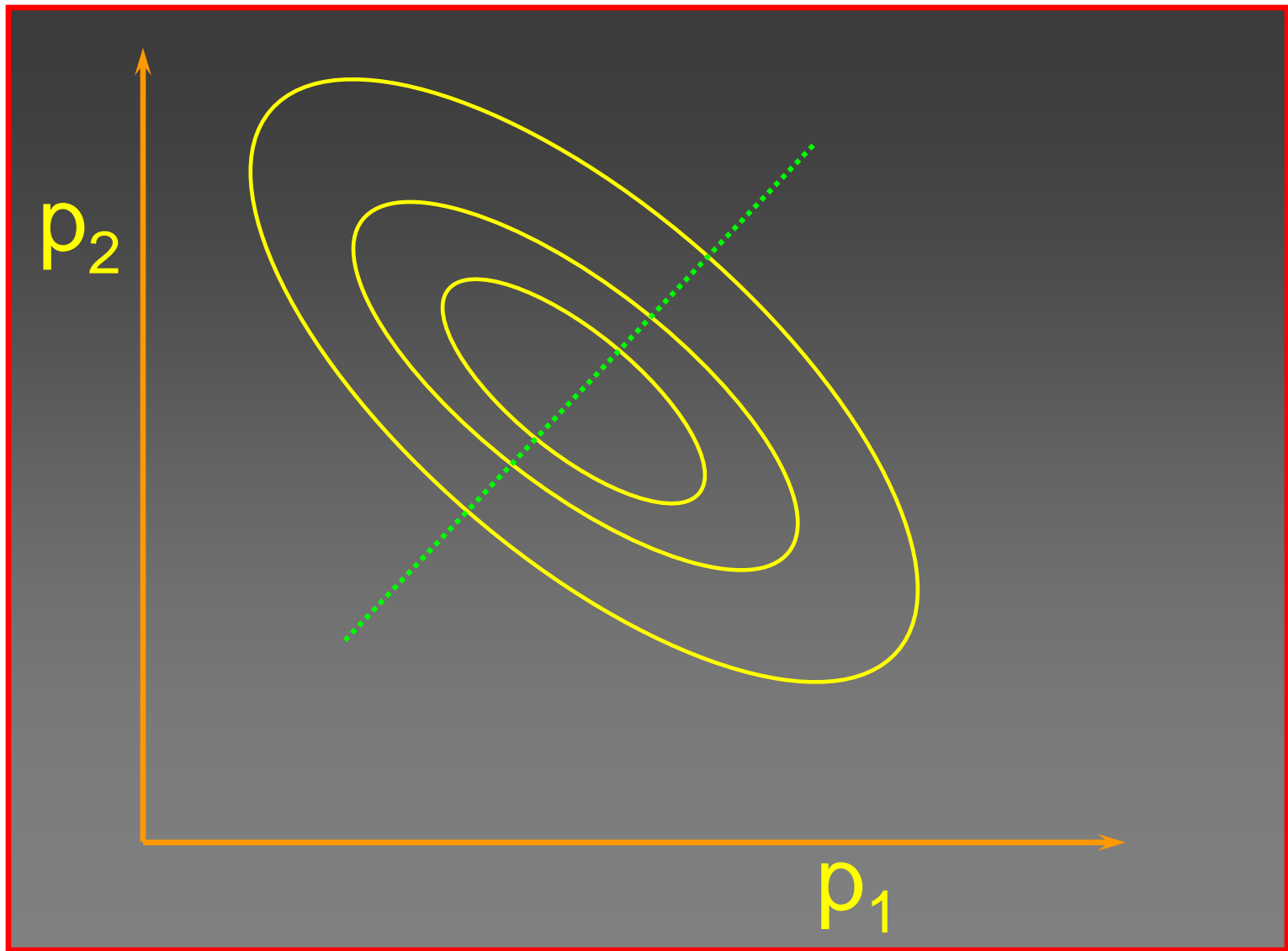


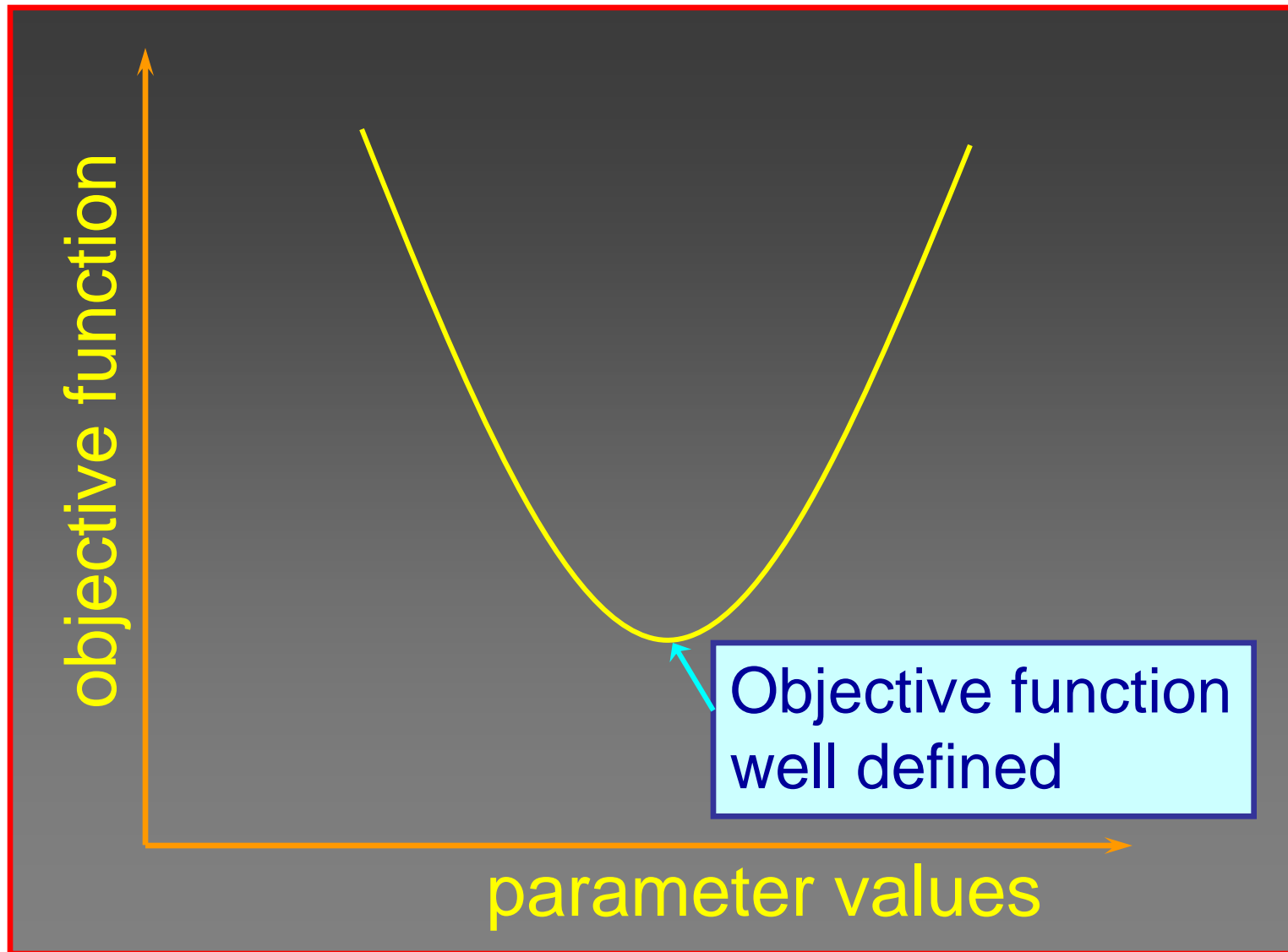


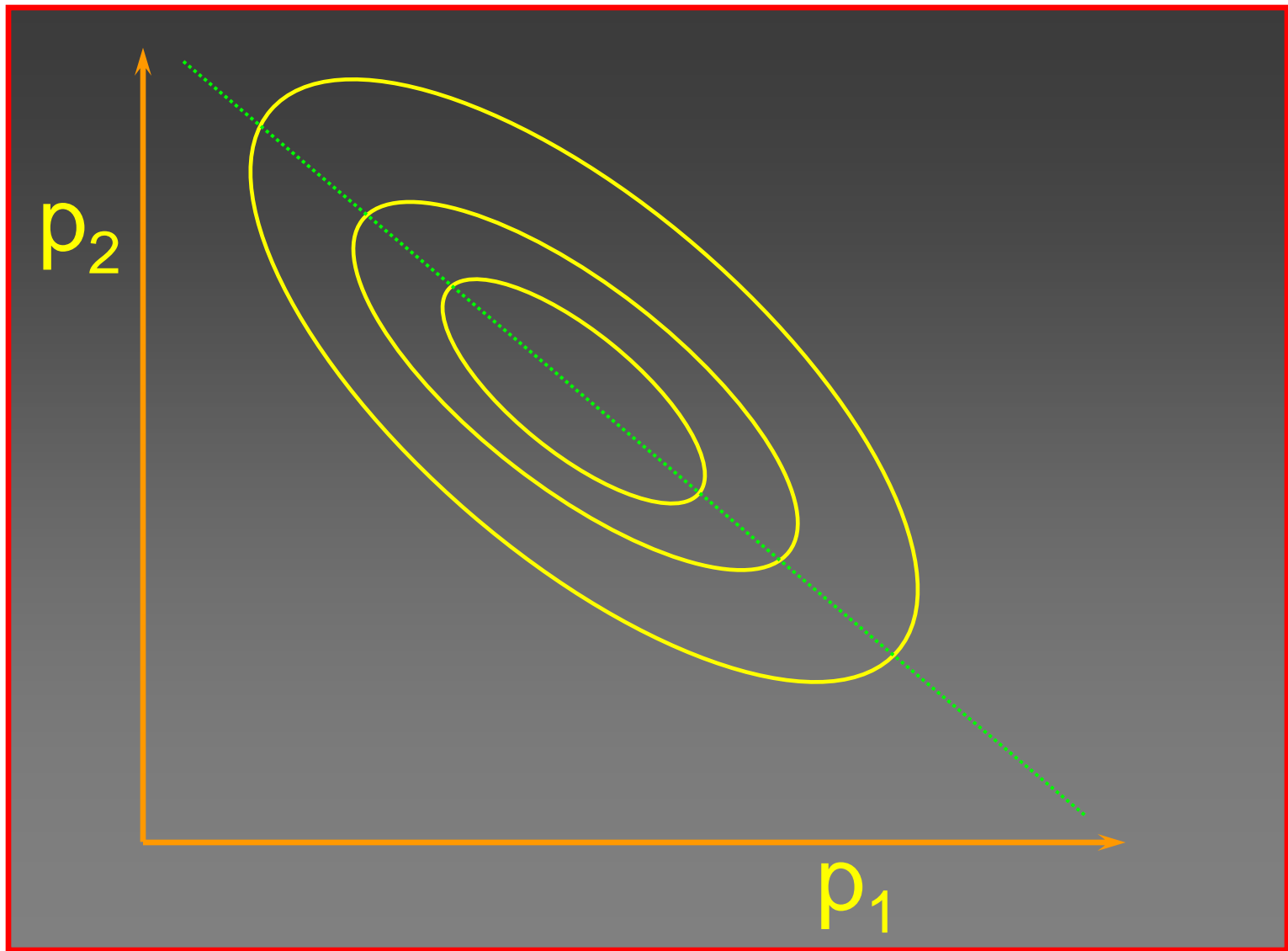


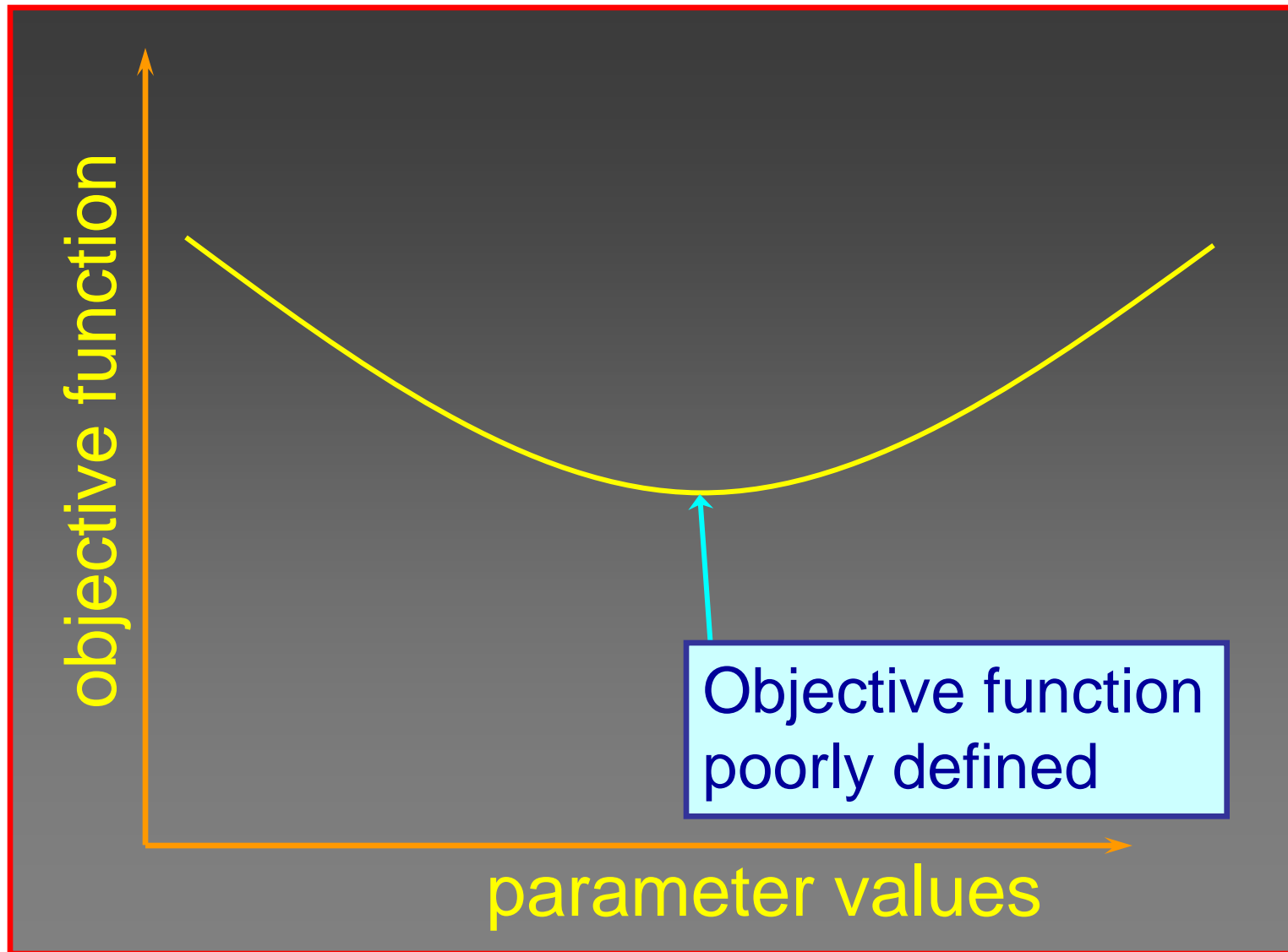


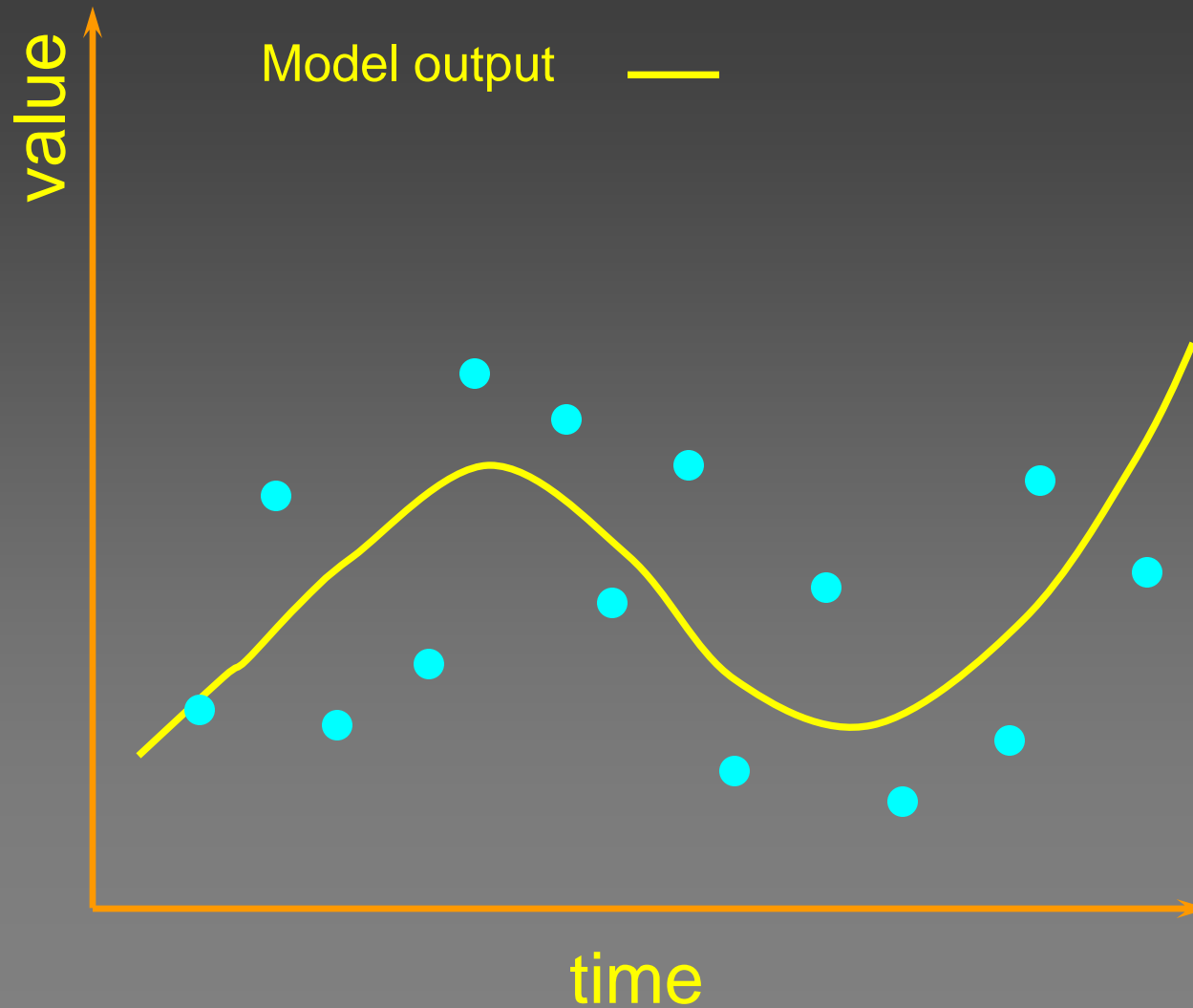


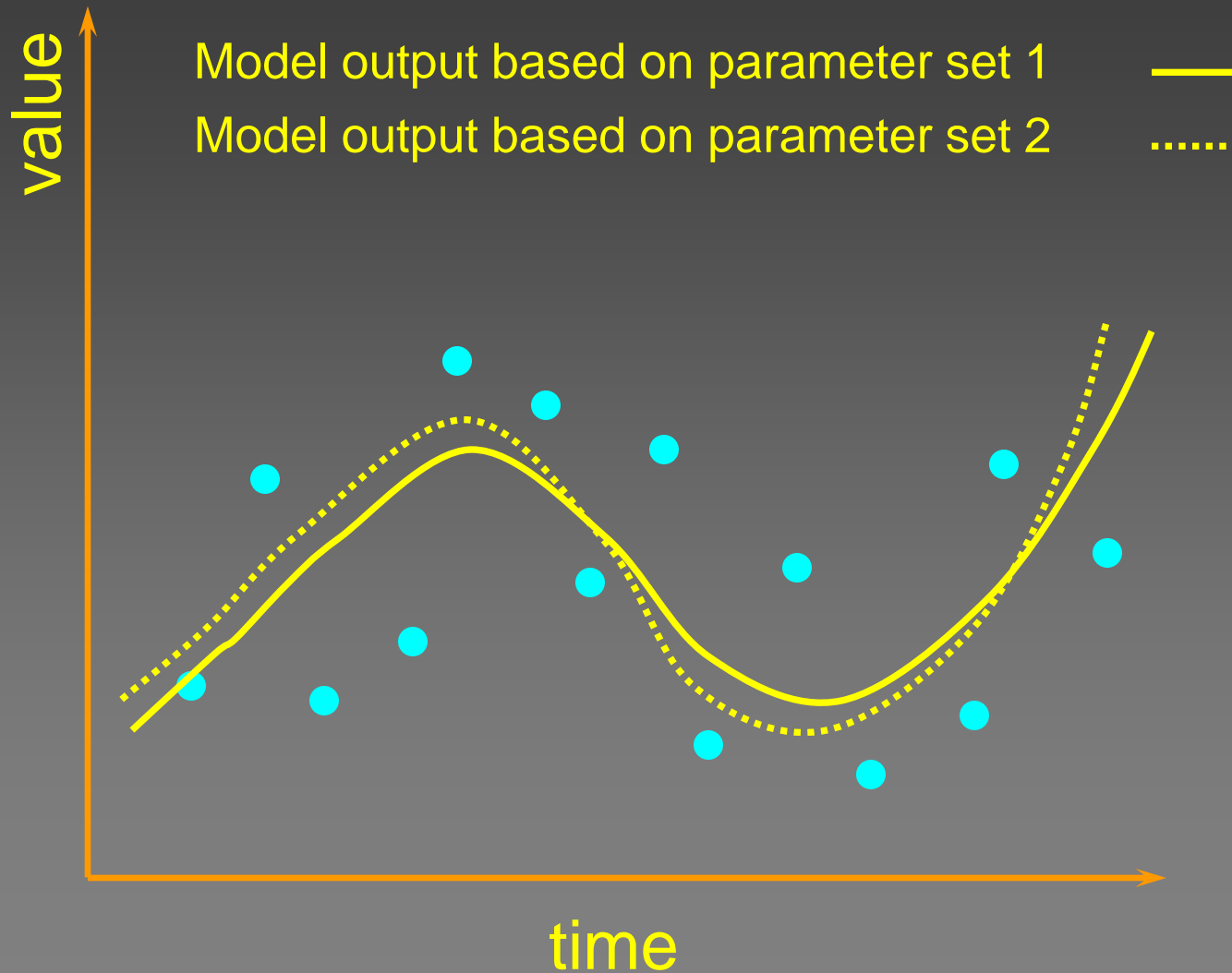


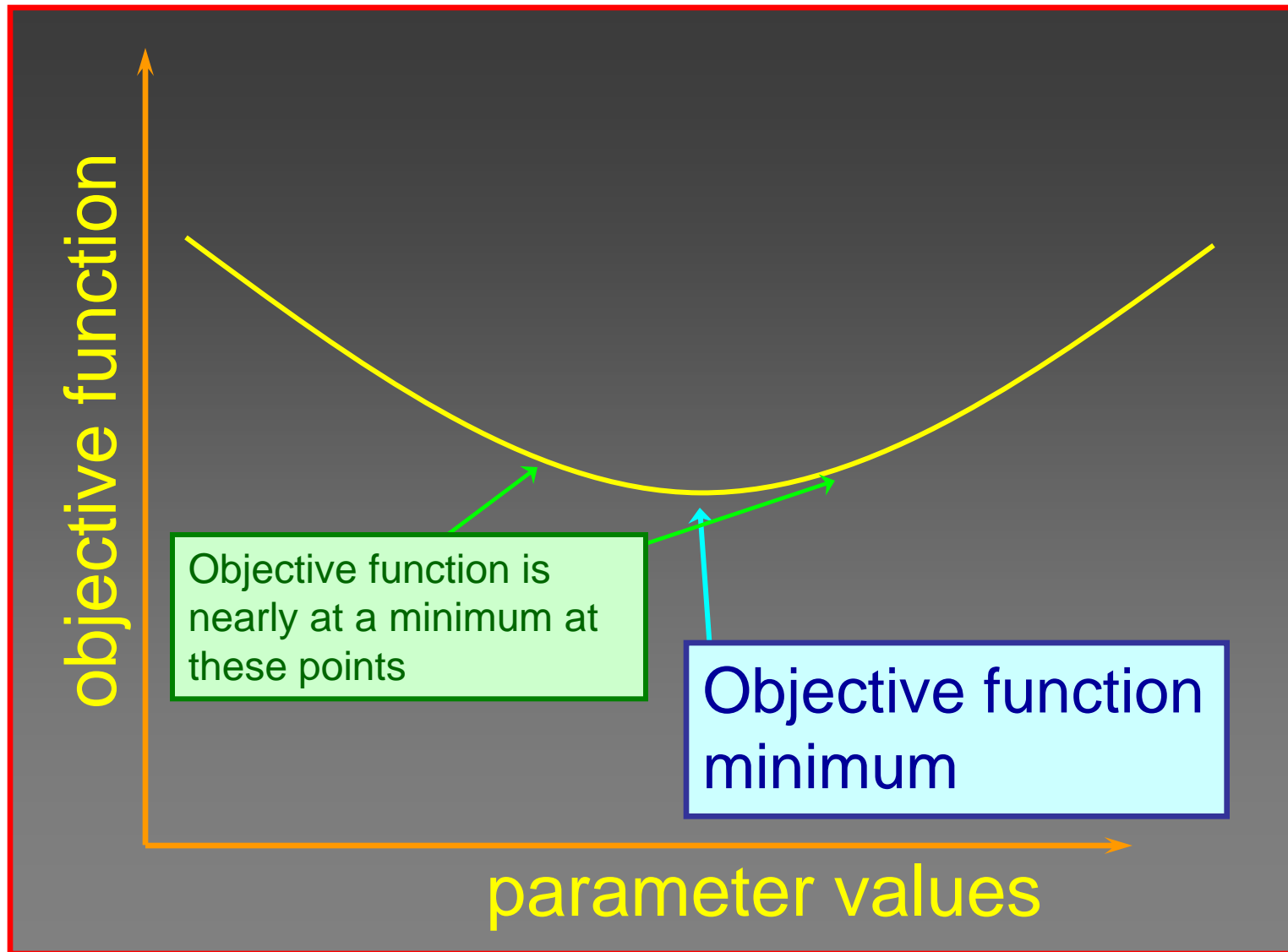


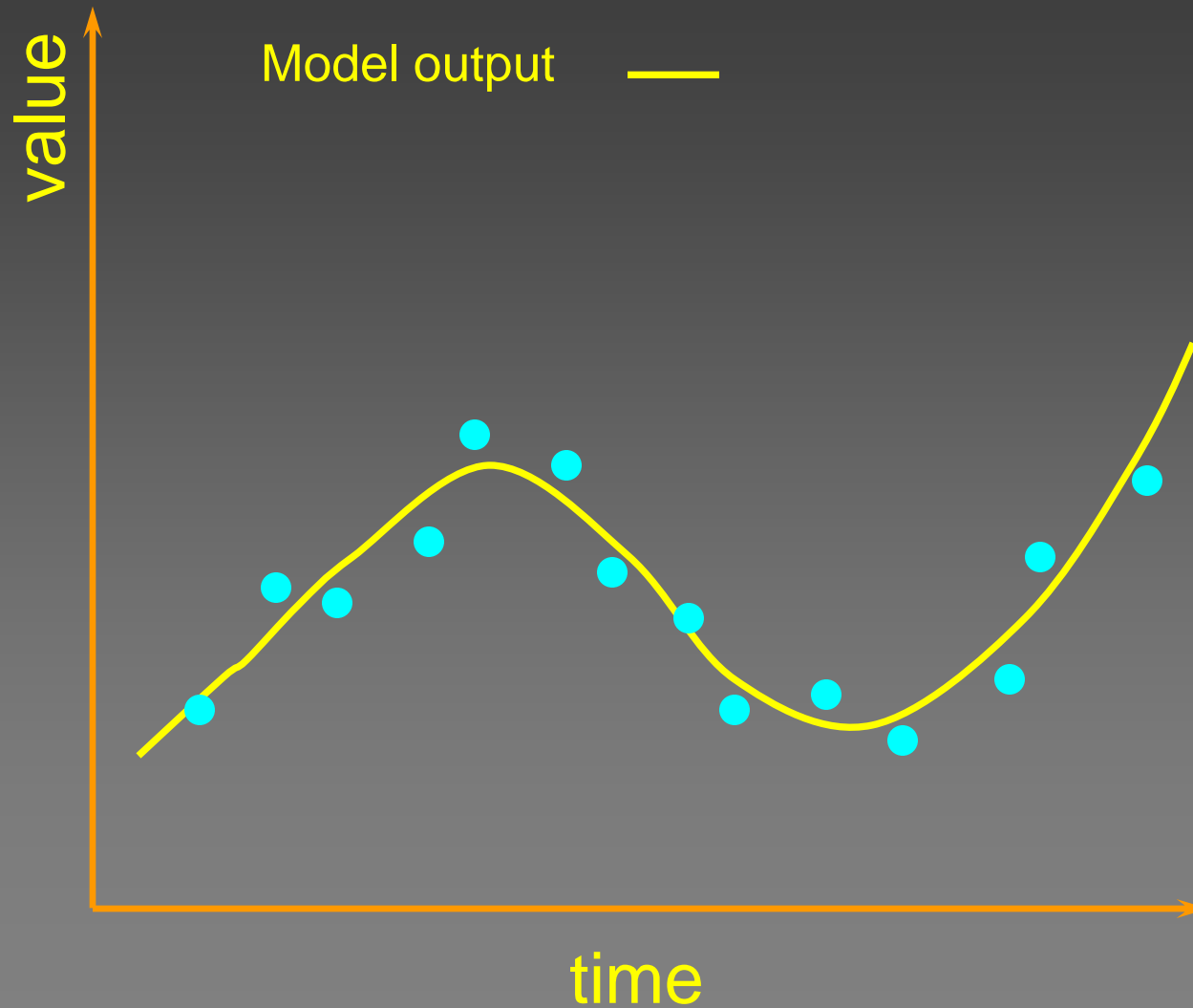


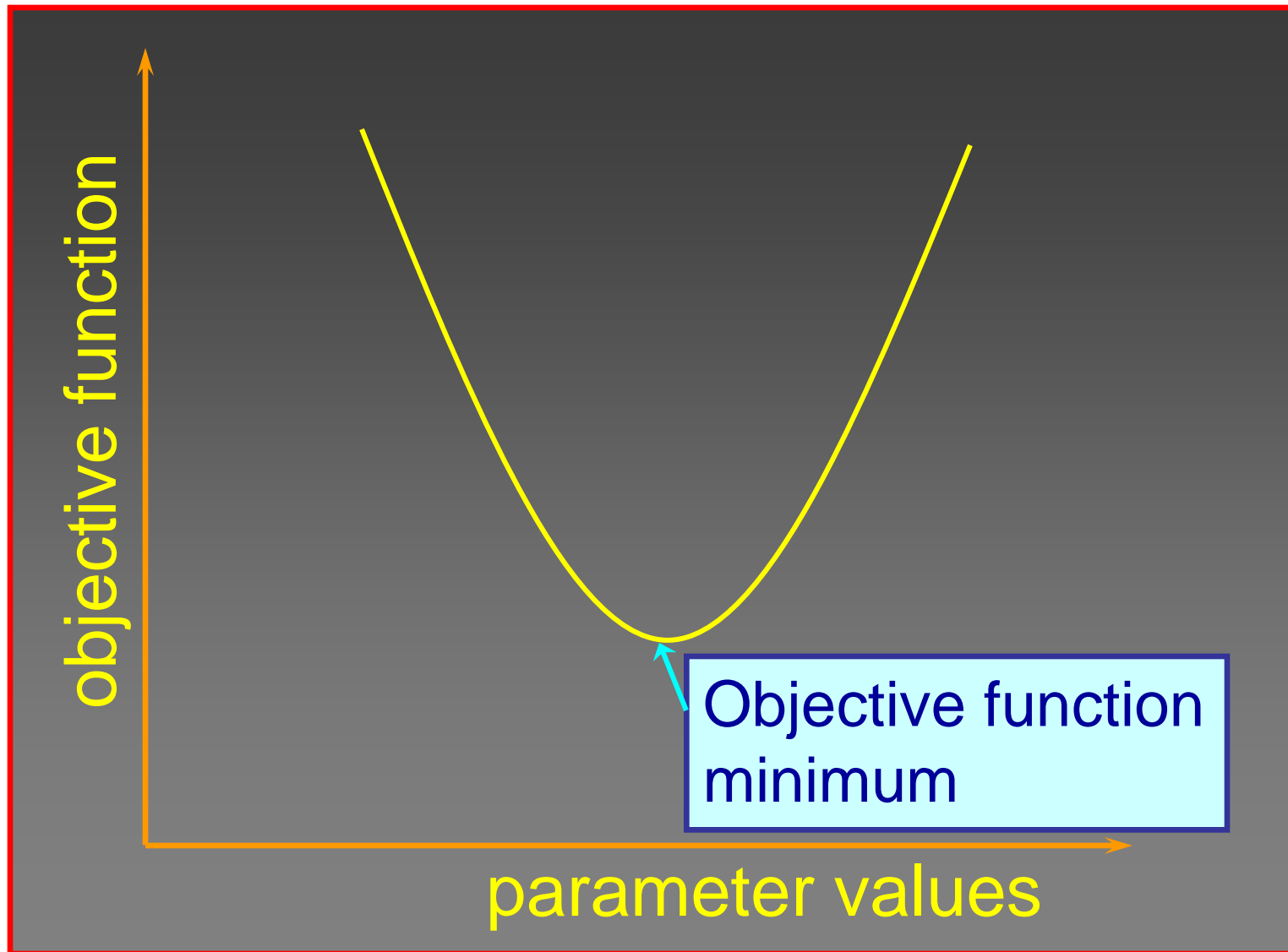












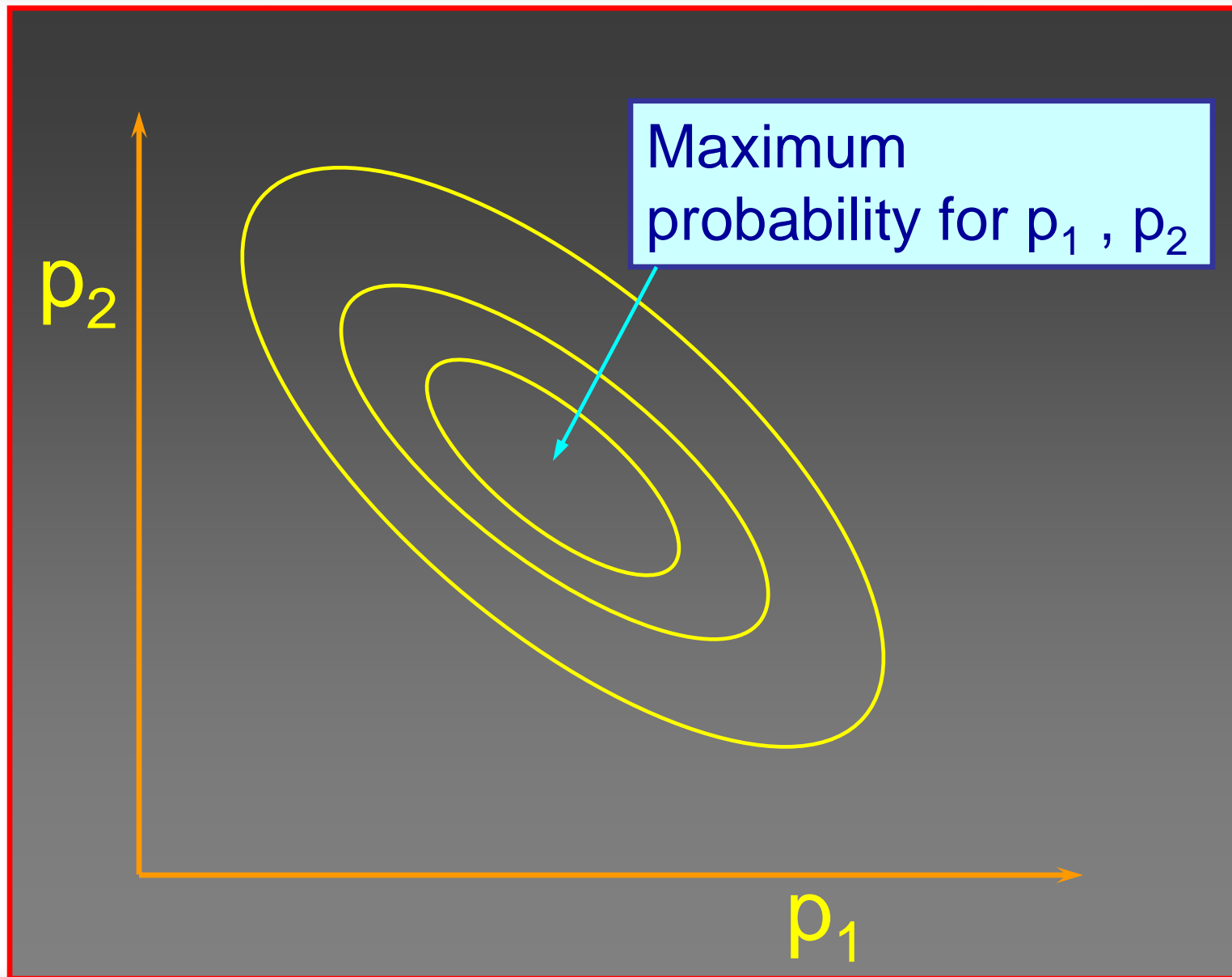
Things that make the objective function less distinct

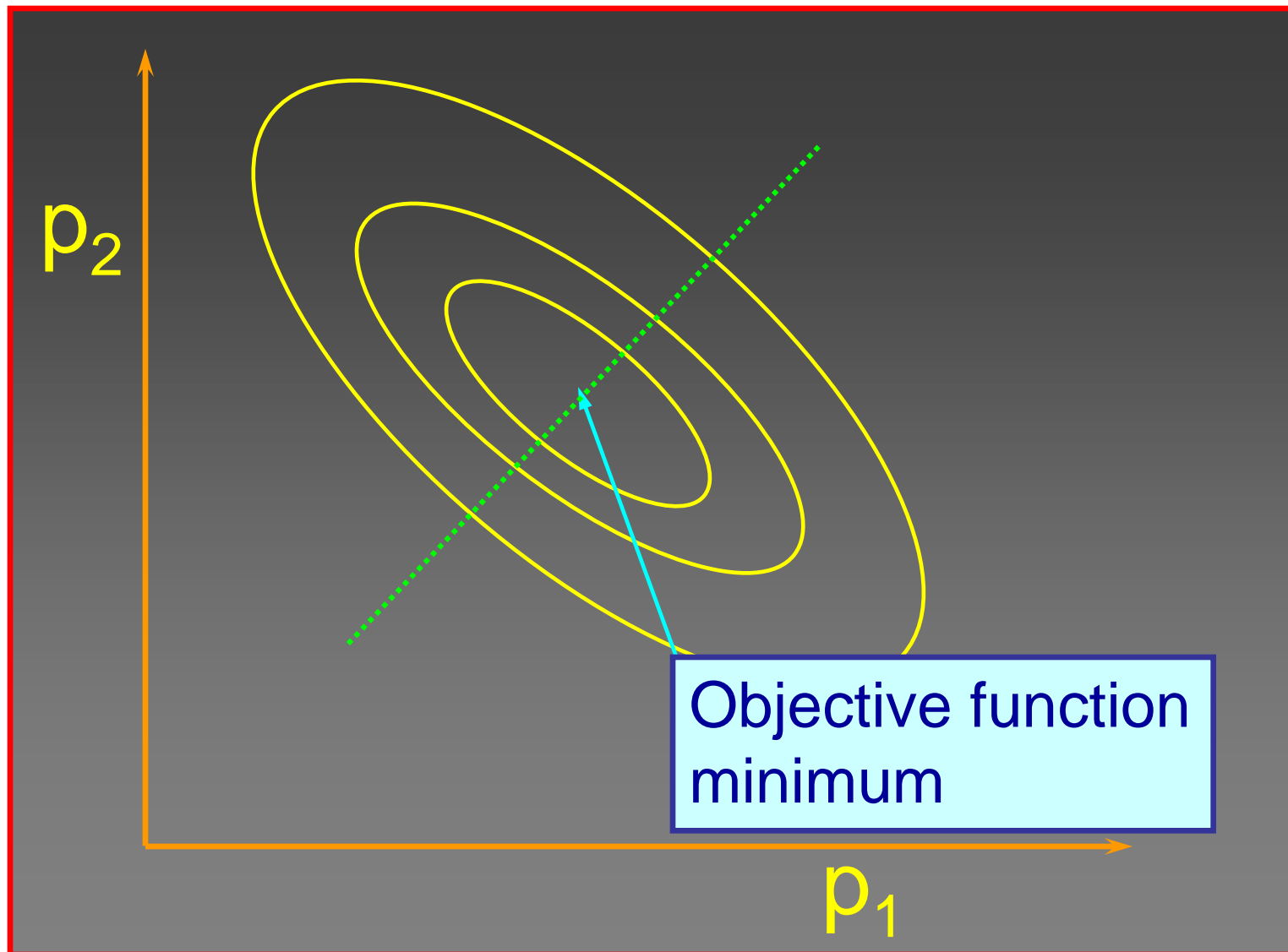
- Noise in the data
 - Noise is opposite of information
- Data density
 - Sparse data does not tightly constrain calibration
- Poor model suitability
 - Model fails to account for all the factors salient to the prediction
- Correlation between parameters

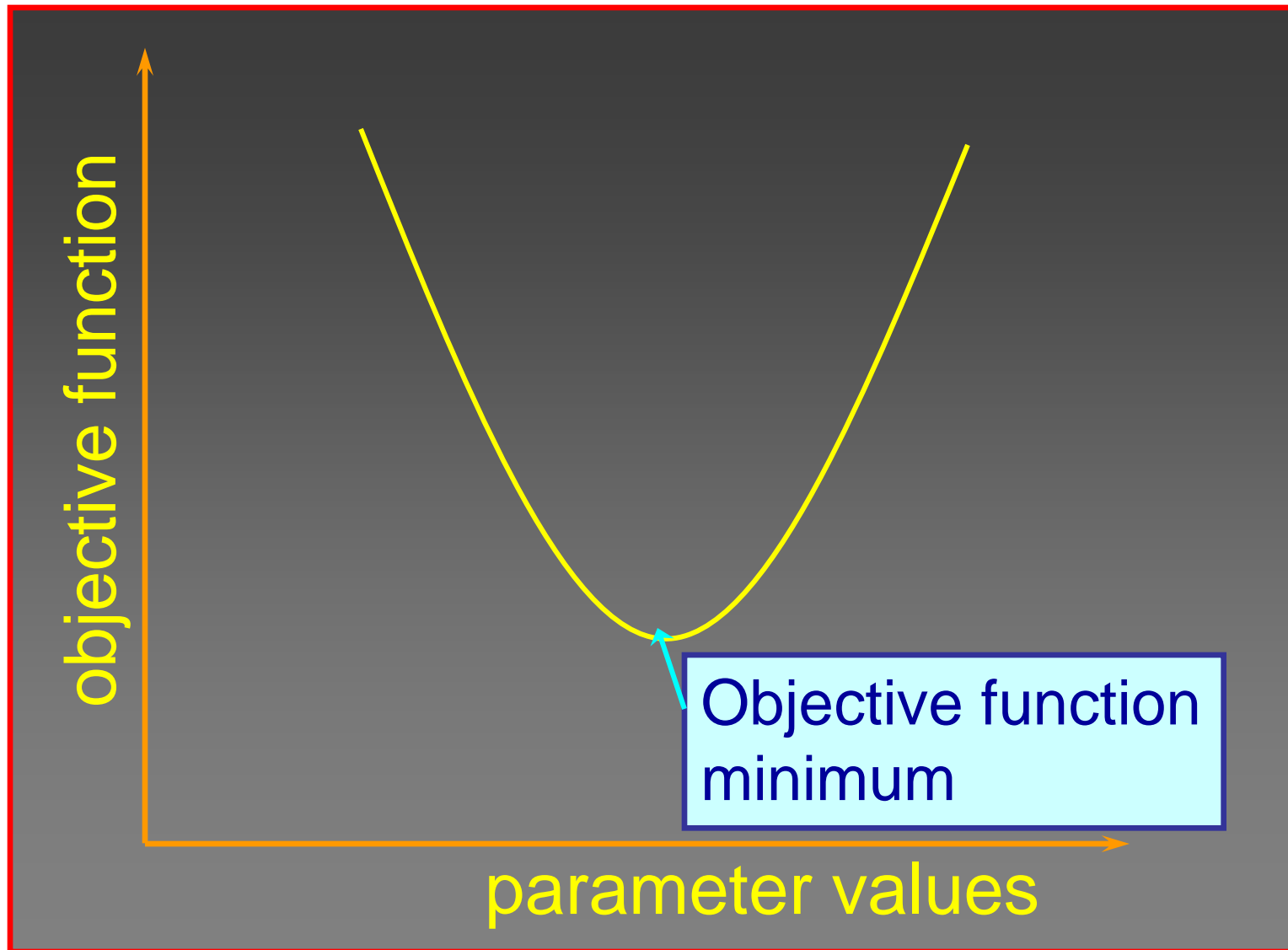
- Some parameters can be estimated with greater certainty than others
- Relevant data with minimal noise constrains objective function

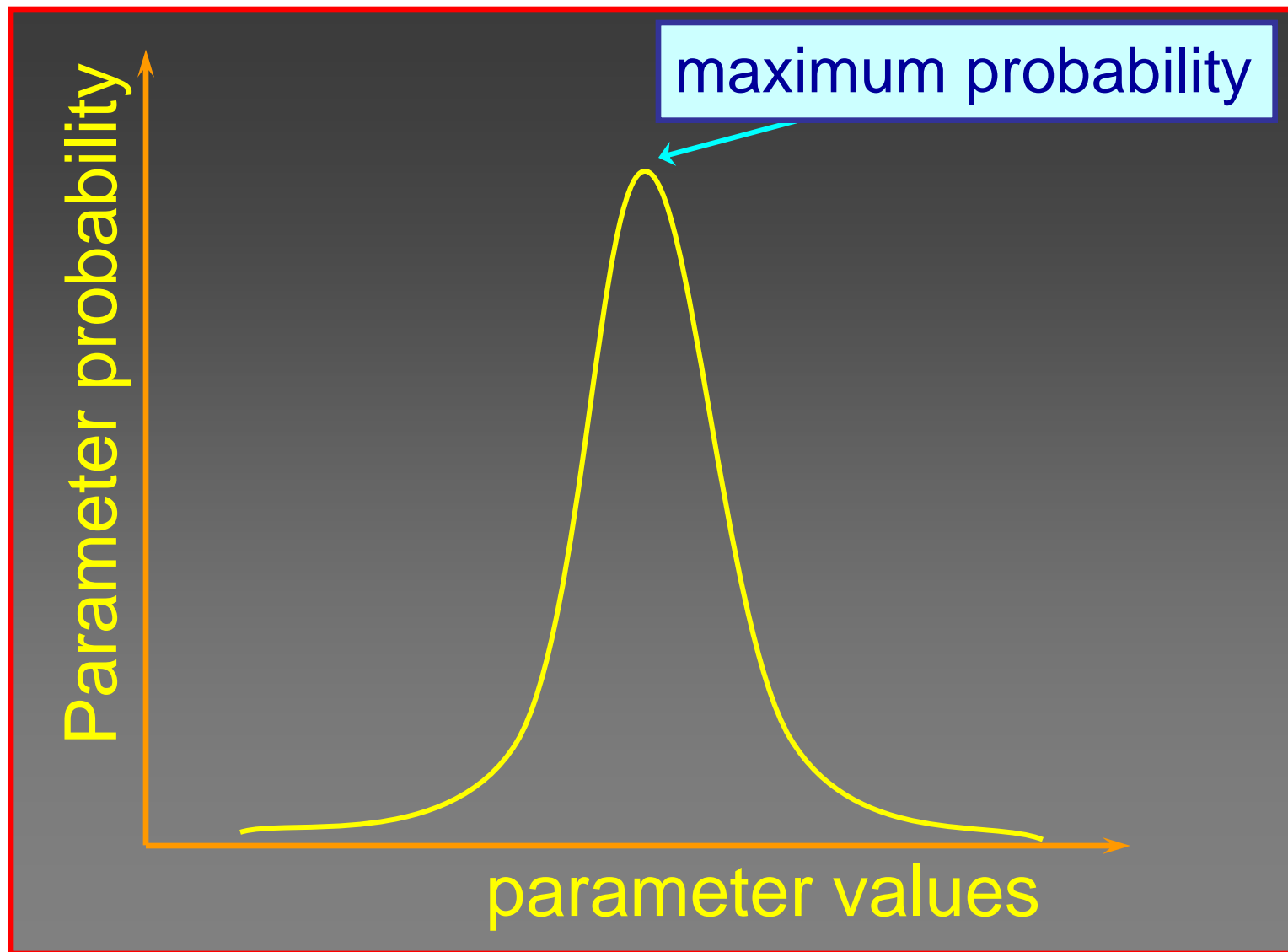
Probability

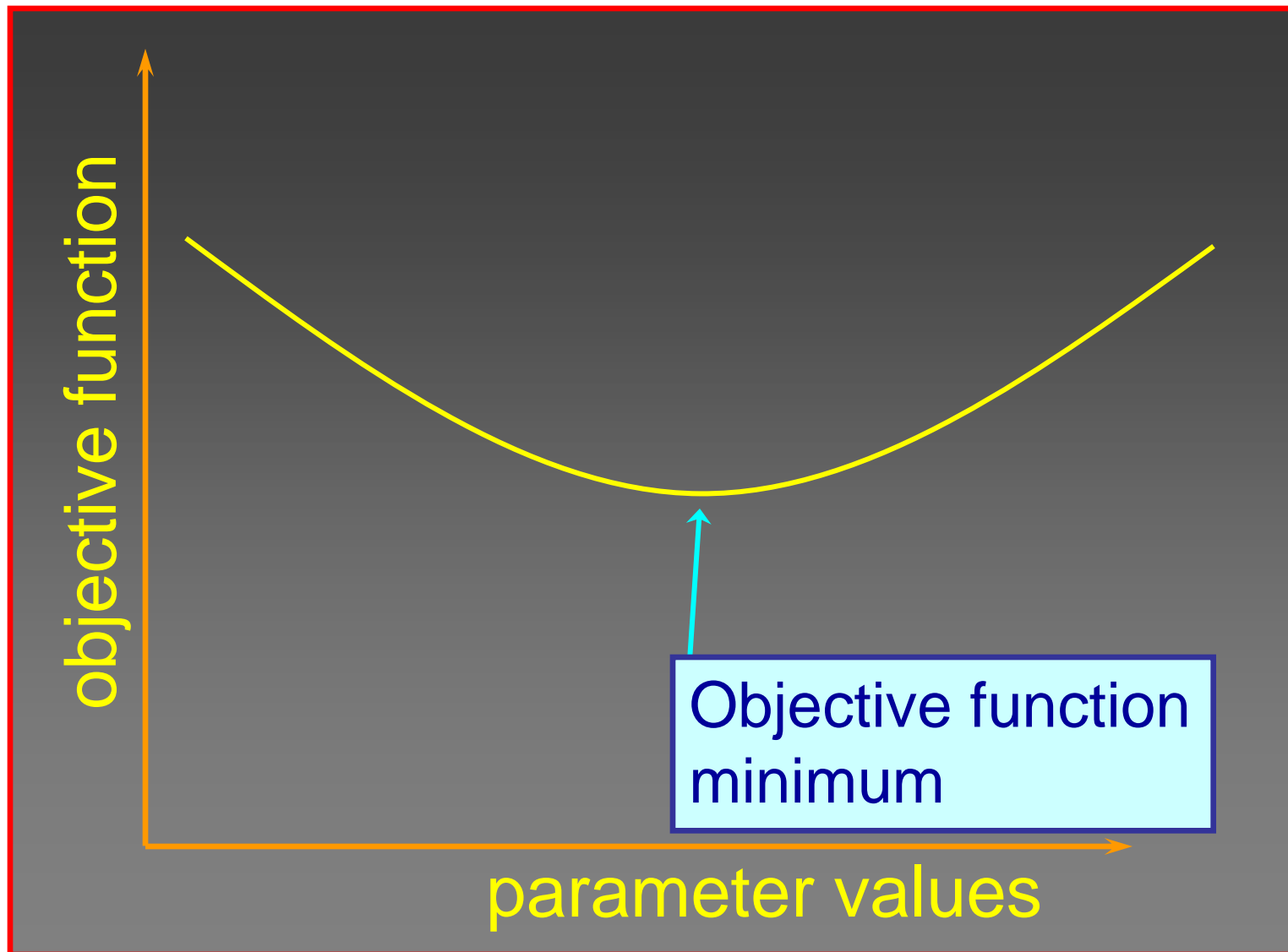
- We can estimate the probability of FUNCTIONAL parameter values
 - Assuming our model adequately captures the important aspects of the system we are modeling

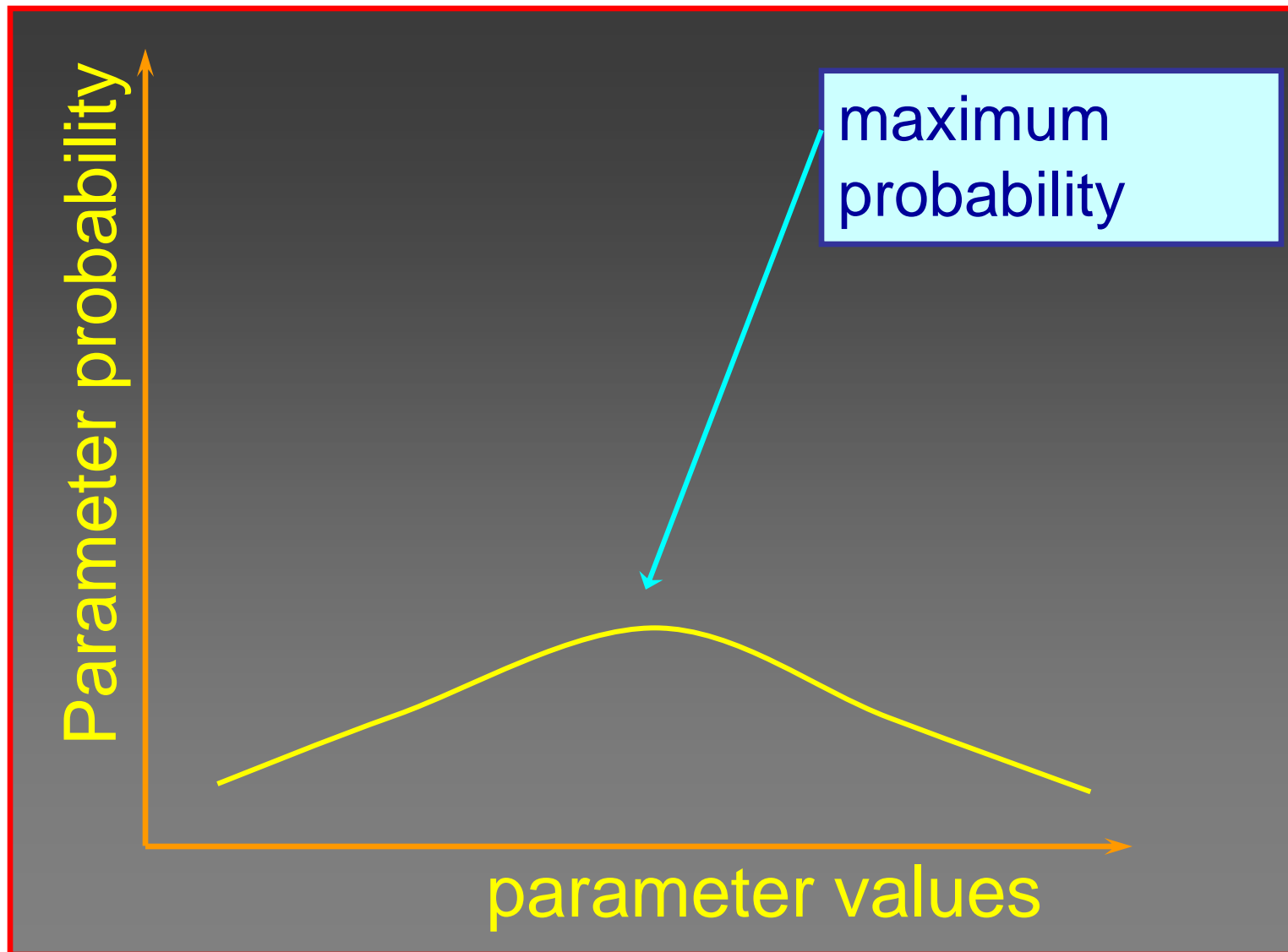




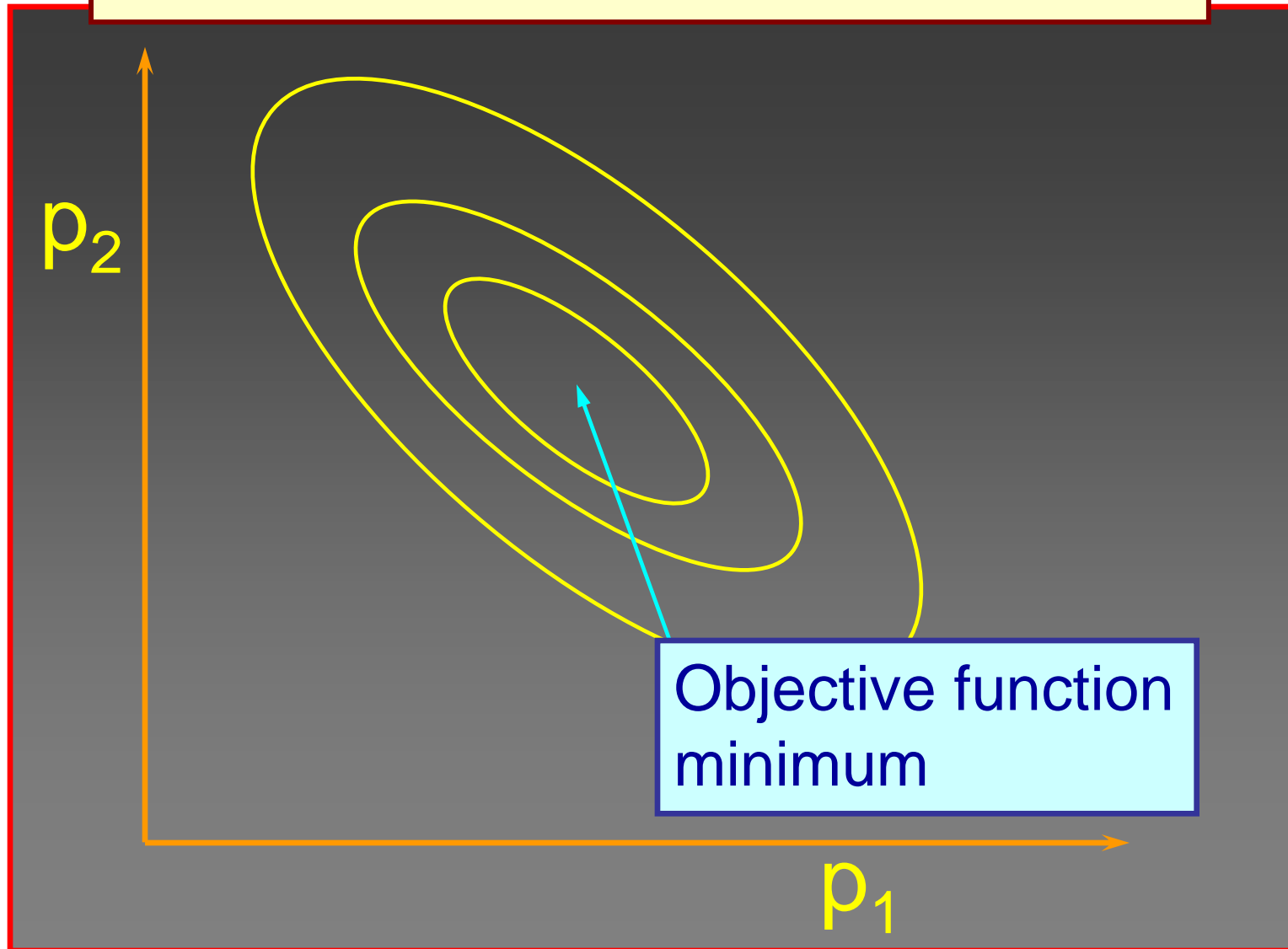


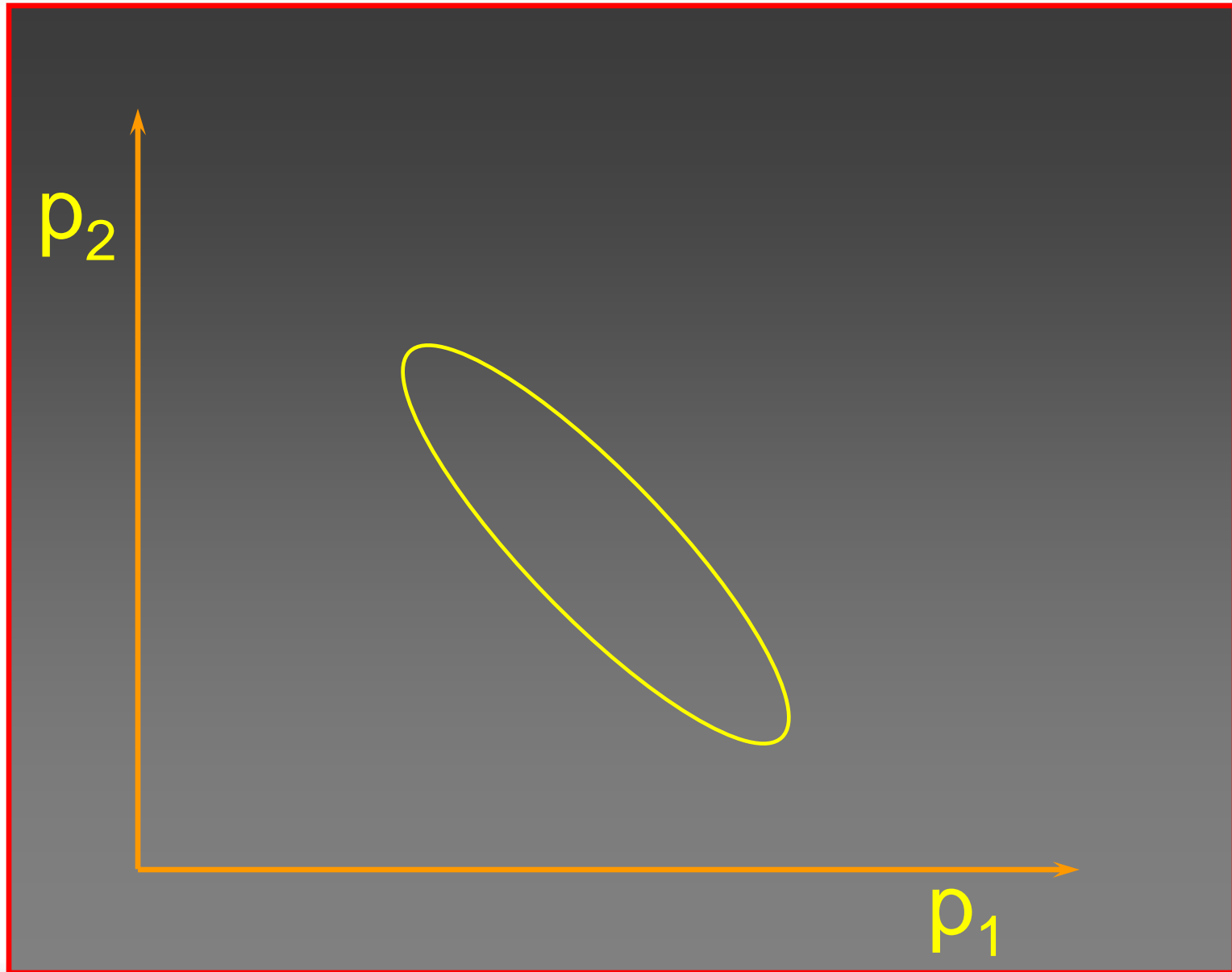


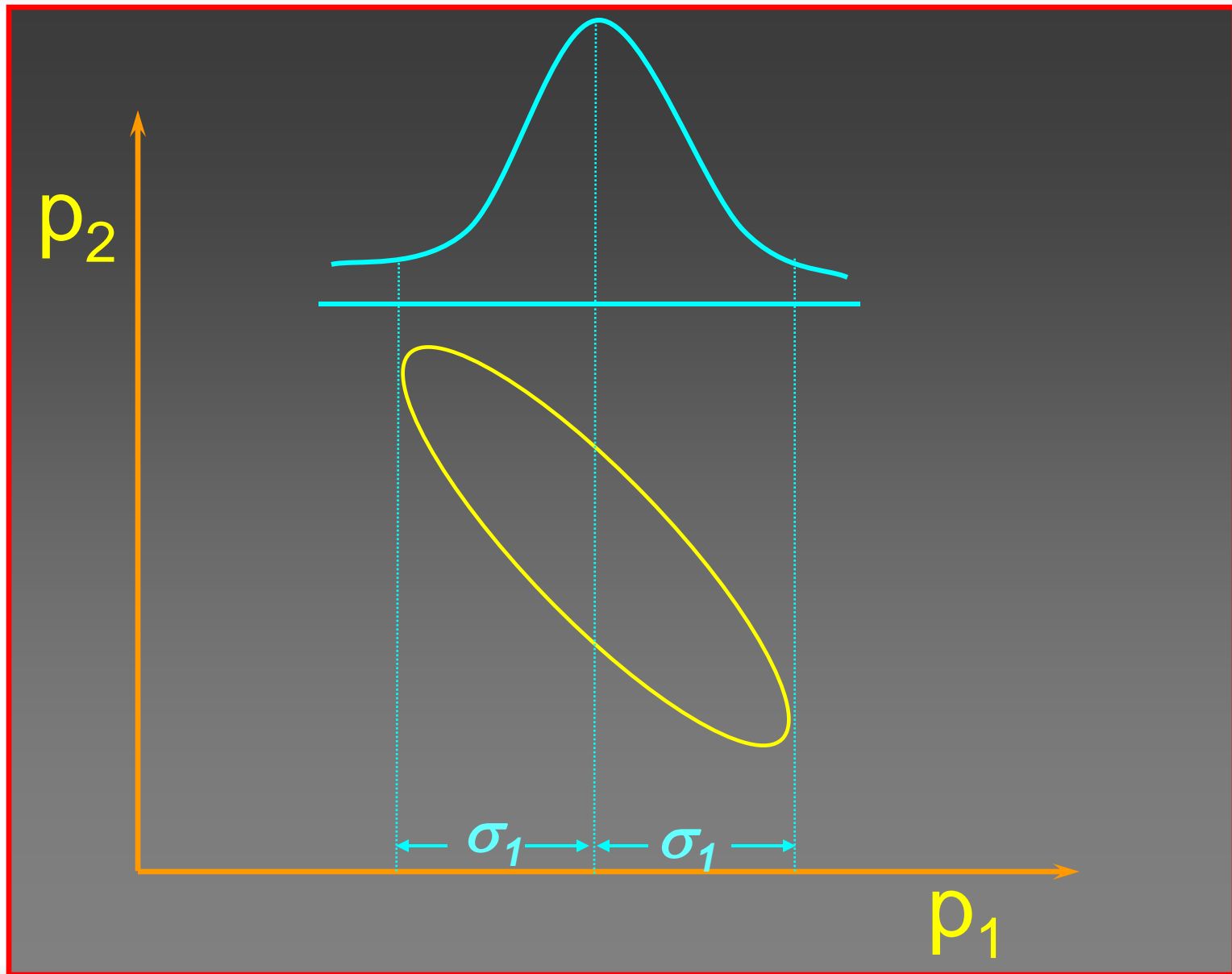


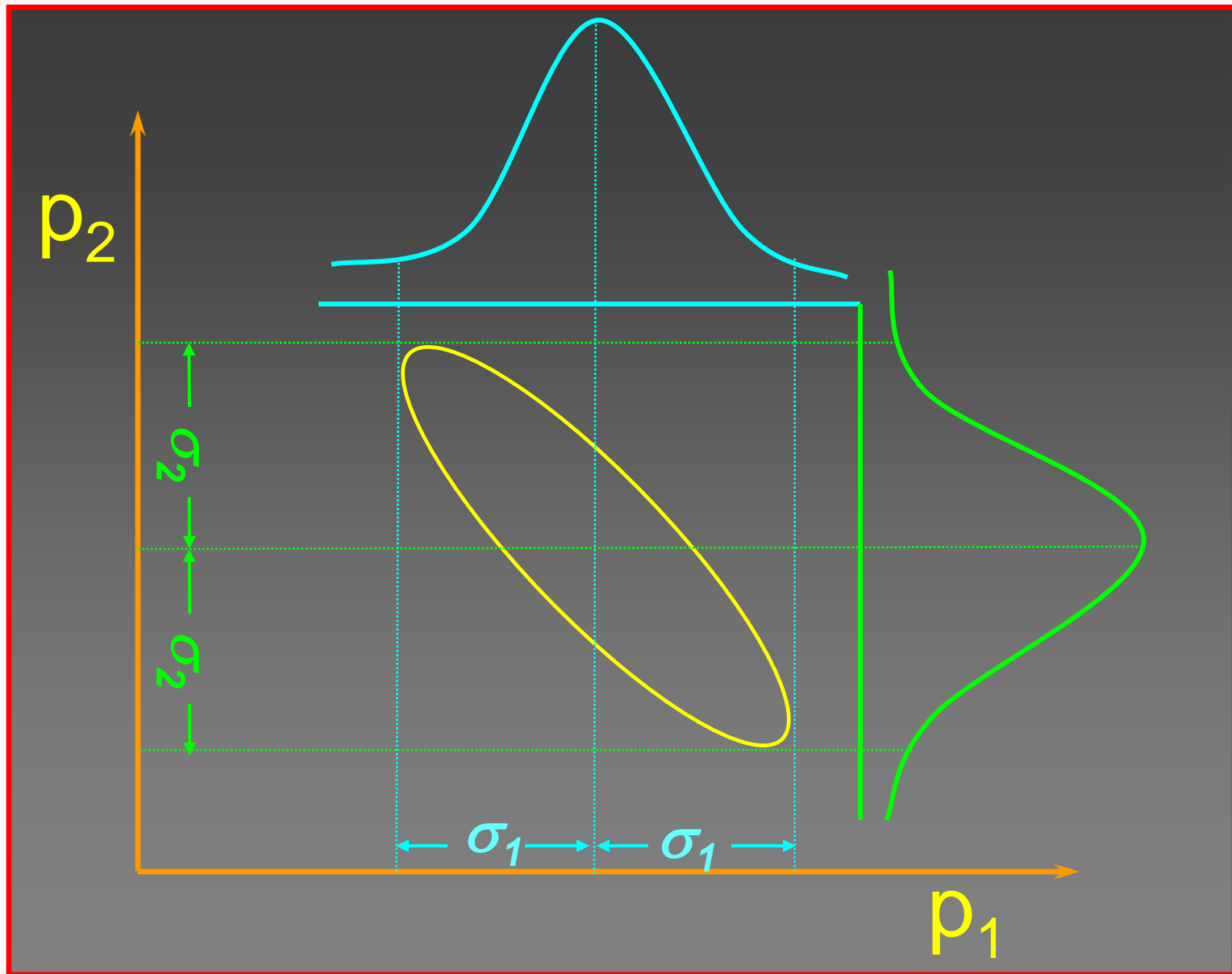


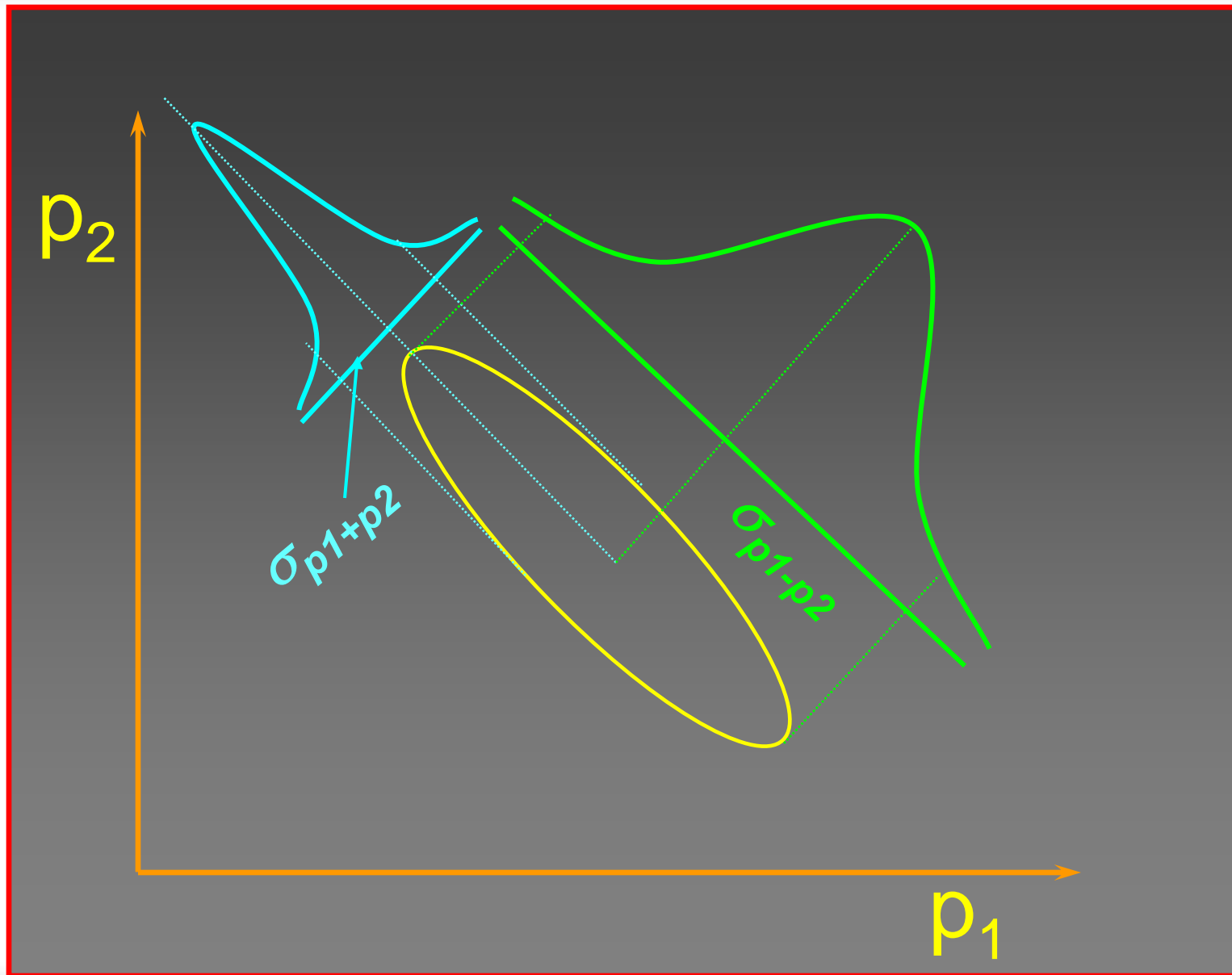
Objective function contours linear model







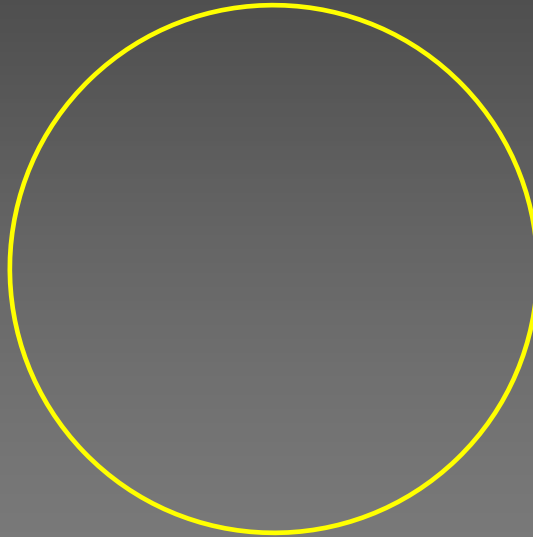




Parameter Correlation

p_2

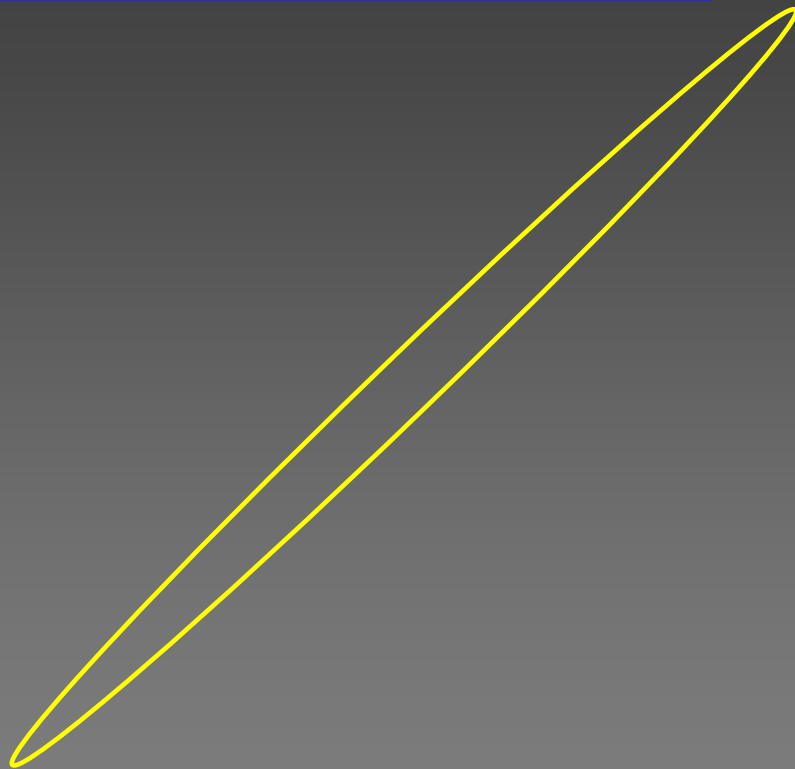
$$\rho_{1,2} = 0.0$$

 p_1

$\rho_{1,2}$ is about 1.0

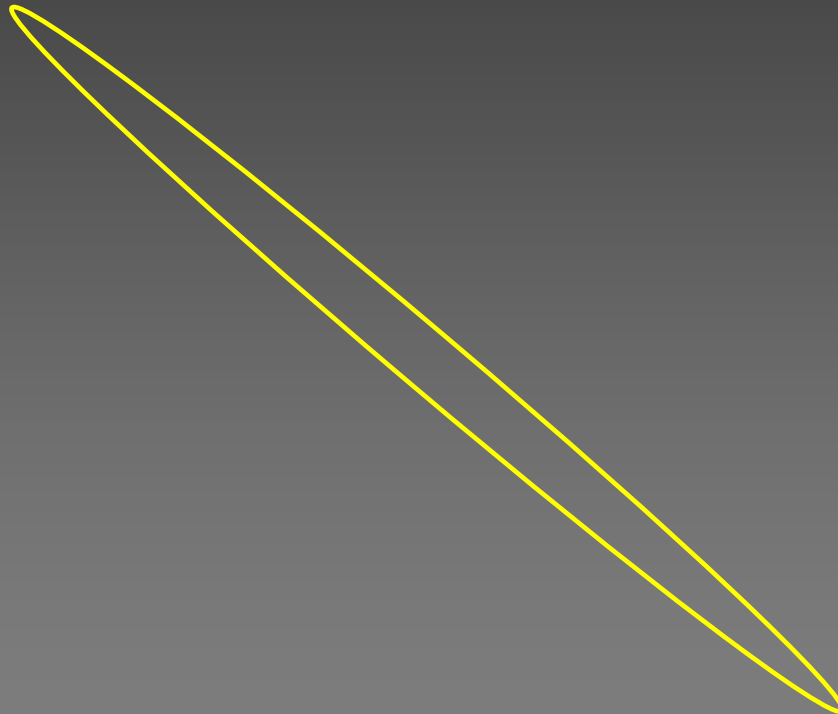
p_2

p_1

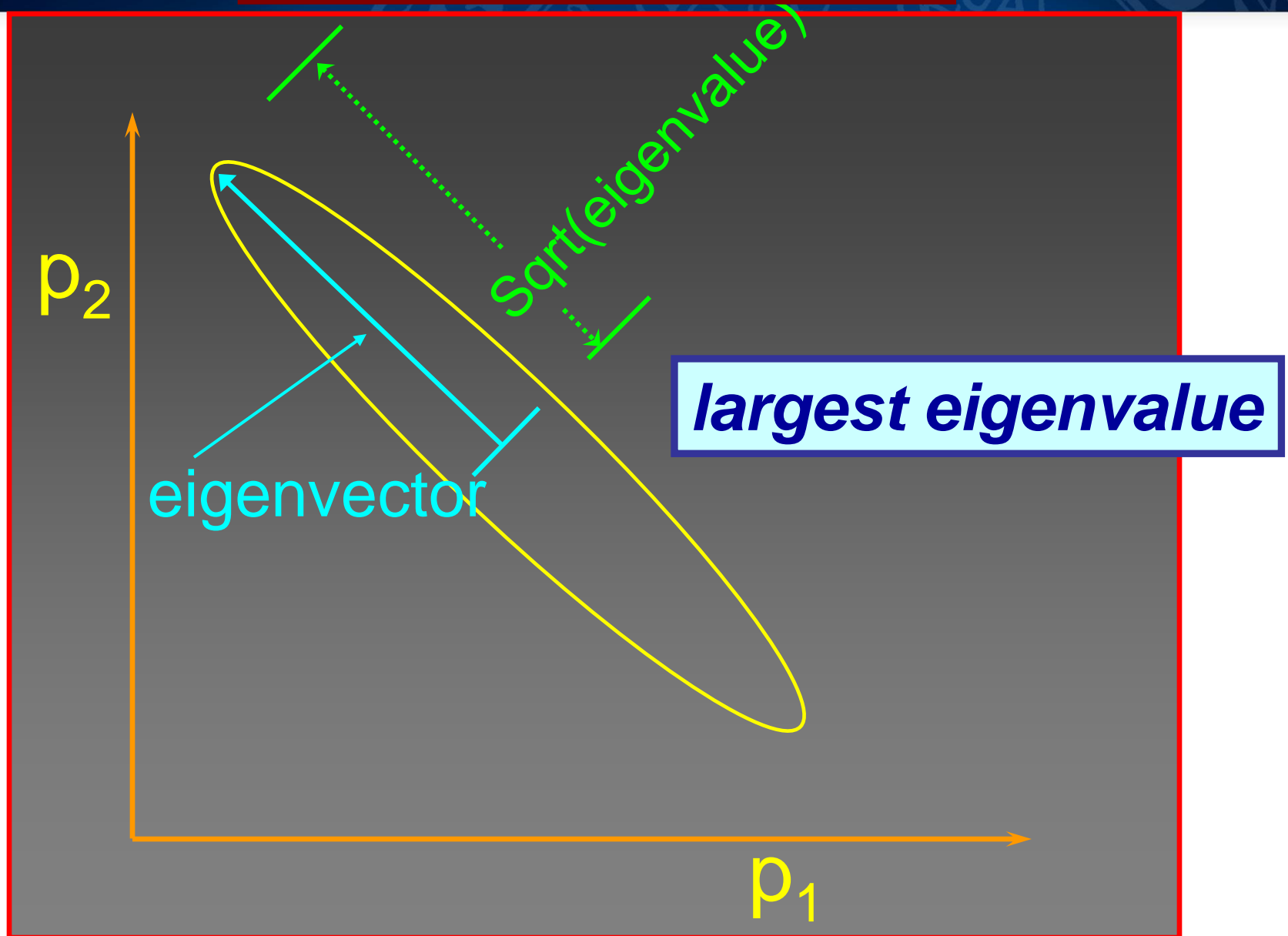


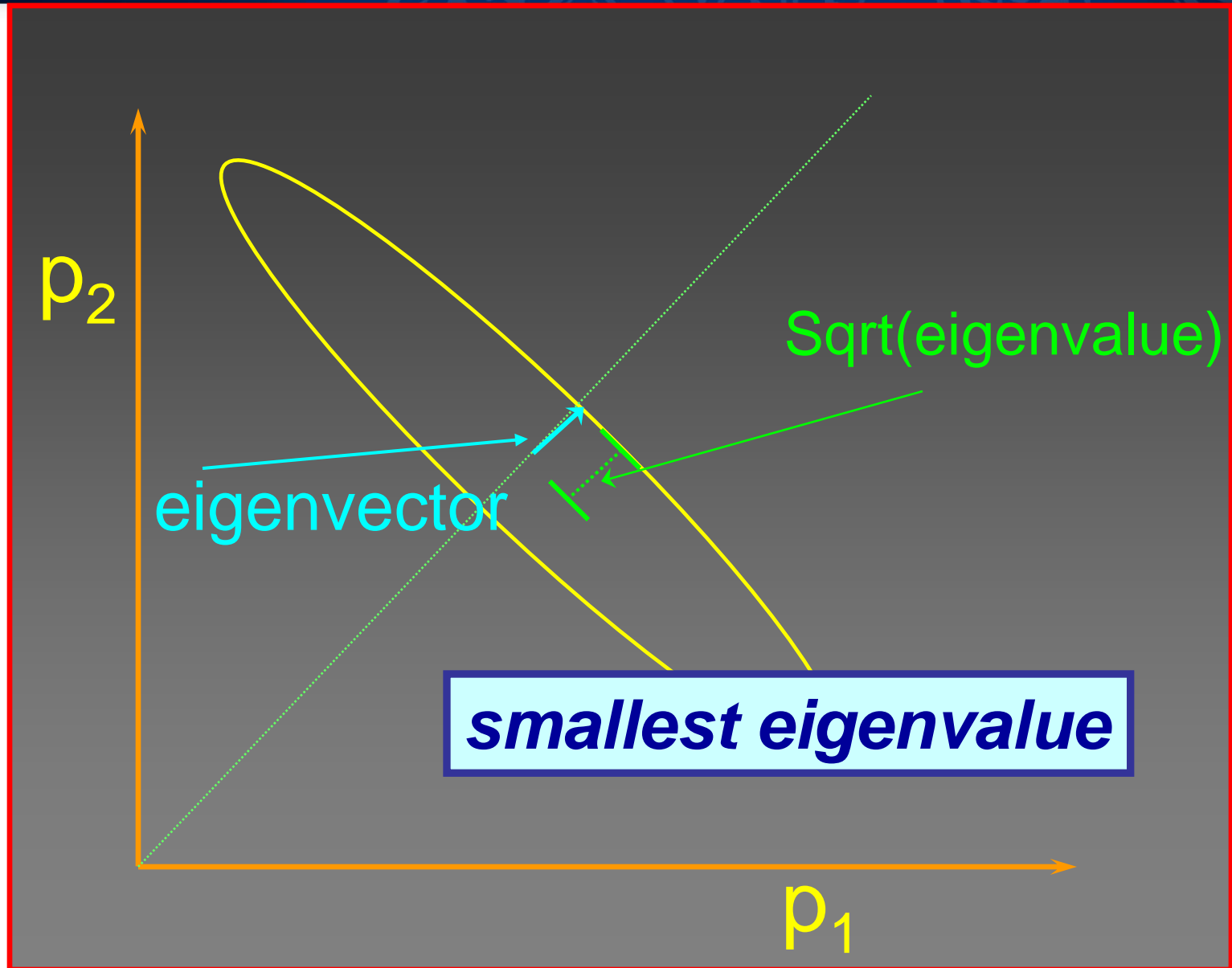
p_2

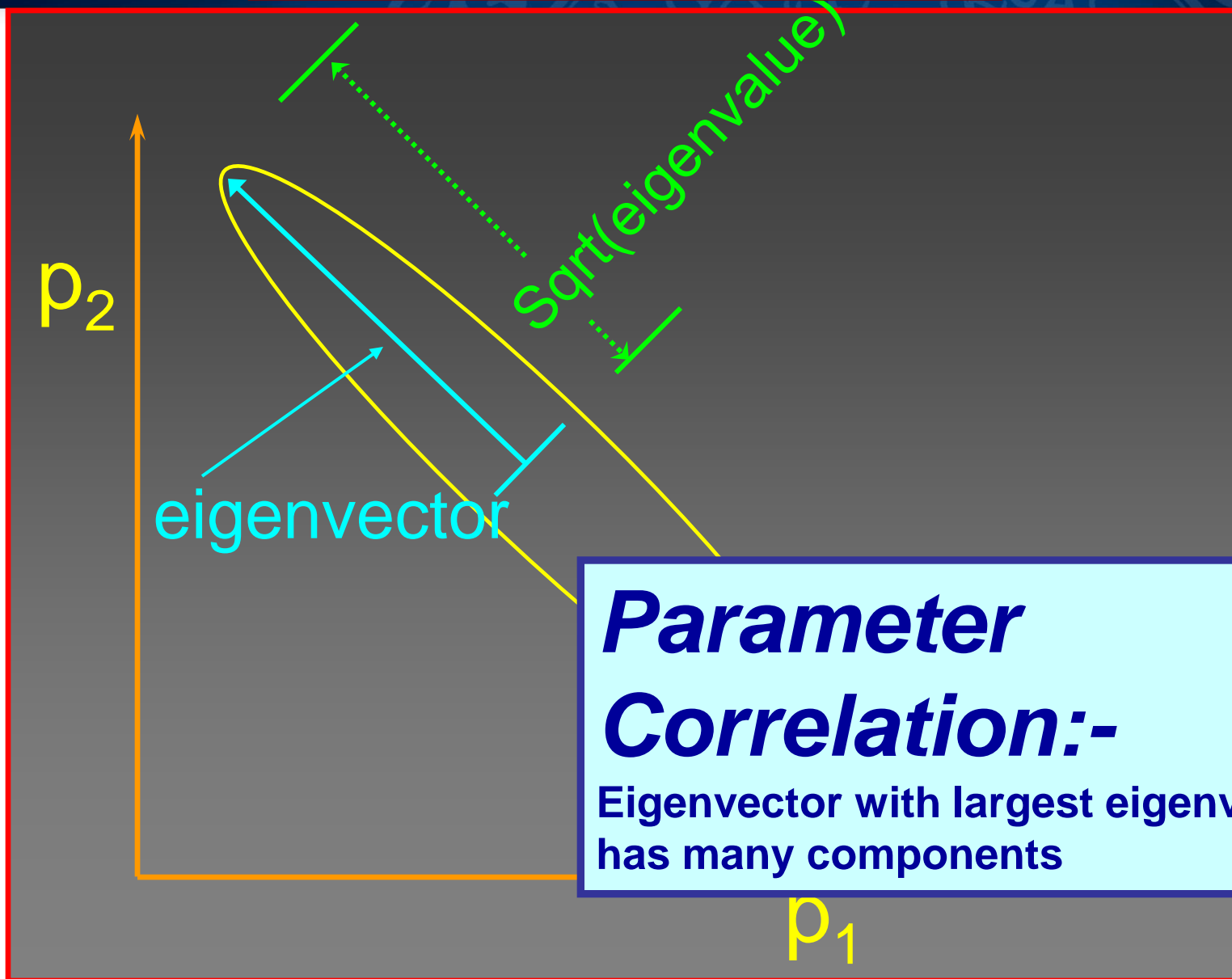
$\rho_{1,2}$ is about -1.0

 p_1 

Probability contour





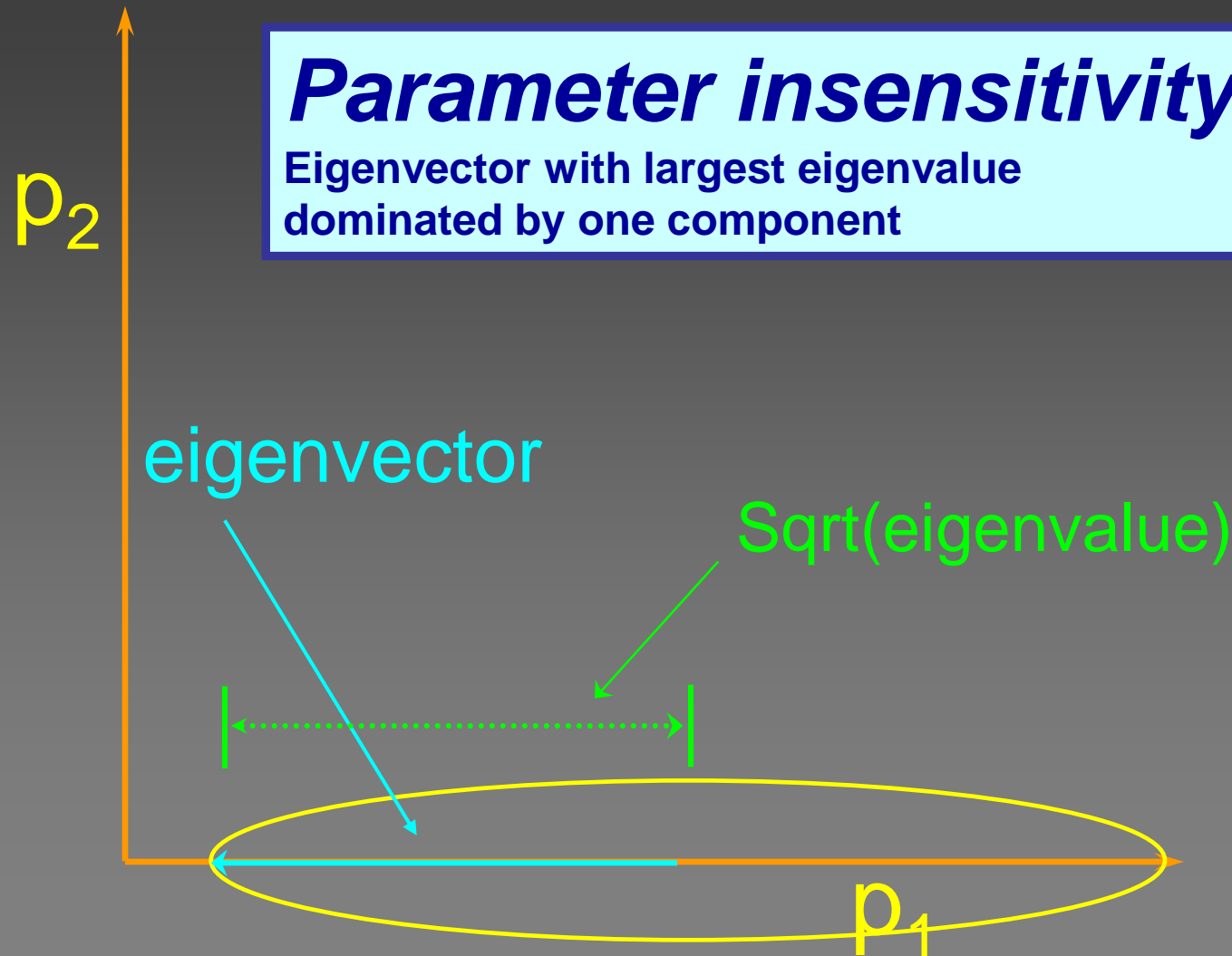


Parameter Correlation:-

Eigenvector with largest eigenvalue
has many components

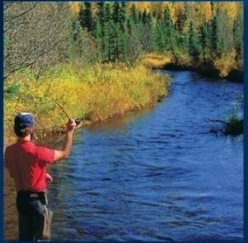
Parameter insensitivity

Eigenvector with largest eigenvalue
dominated by one component



In general, the more linear is the model, the better.

Linearity can often be improved by estimating the logs of certain parameters rather than the parameters themselves.



End

